



CIMI – Modeling the Inner Magnetosphere

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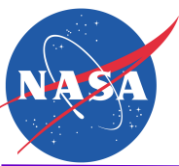




Outline



- **CIMI: Comprehensive Inner Magnetosphere-Ionosphere Model**
Convection-Diffusion Model of Radiation Belts and Ring Current
+ Ionospheric Potential Solver
- CIMI: Space Weather Applications
 - plasma environment (e-: 1 keV – 5 MeV; ions: 0.1 – 500 keV) at $L \sim 2$ to 10
 - particle precipitation and currents at ionosphere
 - Dst prediction
 -
- Advances and Challenges



Modeling Approaches of Radiation Belts/Ring Current



Models	Equations	Pros and Cons	Examples
Test-Particle Model	$\begin{cases} \frac{d\mathbf{p}}{dt} = q\mathbf{E} + q\mathbf{v} \times \mathbf{B} \\ \frac{d\mathbf{r}}{dt} = \frac{\mathbf{p}}{m} \end{cases}$	P: Full particle kinetics C: <i>Computationally intensive</i>	Delcourt, Li, Hudson, Elkington, CHIMP
Convection-Diffusion Model	$\frac{\partial f}{\partial t} + \dot{\boldsymbol{\theta}} \cdot \frac{\partial f}{\partial \boldsymbol{\theta}} + \dot{\mathbf{J}} \cdot \frac{\partial f}{\partial \mathbf{J}} = \left(\frac{\delta f}{\delta t} \right)_{\text{coll}}$ $\frac{\partial f_b}{\partial t} + \langle \dot{\theta}_3 \rangle \frac{\partial f_b}{\partial \theta_3} + \langle \dot{J}_3 \rangle \frac{\partial f_b}{\partial J_3} = \sum_{ij=1}^2 \frac{\partial}{\partial J_i} D_{ij} \frac{\partial f_b}{\partial J_j} + \left(\frac{\delta f_b}{\delta t} \right)_{\text{coll}}$	P: Drift-phase dependent, valid for wide range of energy (RC to RB) C: <i>Solving advection for RB particles is challenging</i>	RAM-SCB, CIMI, VERB-4D
Diffusion Model	$\frac{\partial f_d}{\partial t} = \sum_{ij=1}^2 \frac{\partial}{\partial J_i} D_{ij} \frac{\partial f_d}{\partial J_j} + \frac{\partial}{\partial J_3} D_{33} \frac{\partial f_d}{\partial J_3} + \left(\frac{\delta f_d}{\delta t} \right)_{\text{coll}}$	P: Efficient, good for long-term simulation C: <i>No drift-phase dependence</i>	Salamambo, Dilbert, VERB-3D, BAS-RBM, DREAM

f_b : Bounce-averaged phase space density

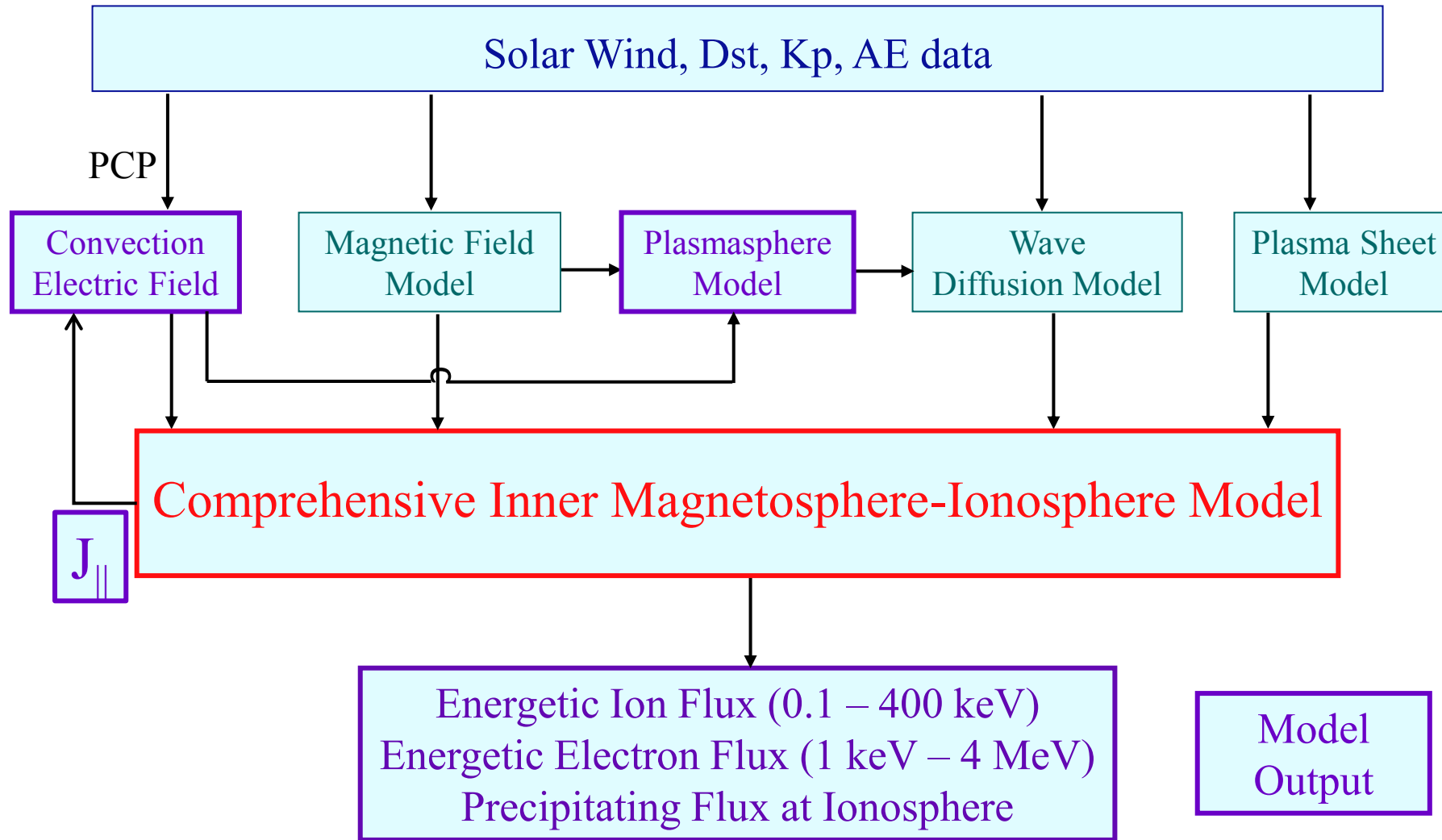
f_d : Drift-averaged phase space density

RB: Radiation Belts

RC: Ring Current



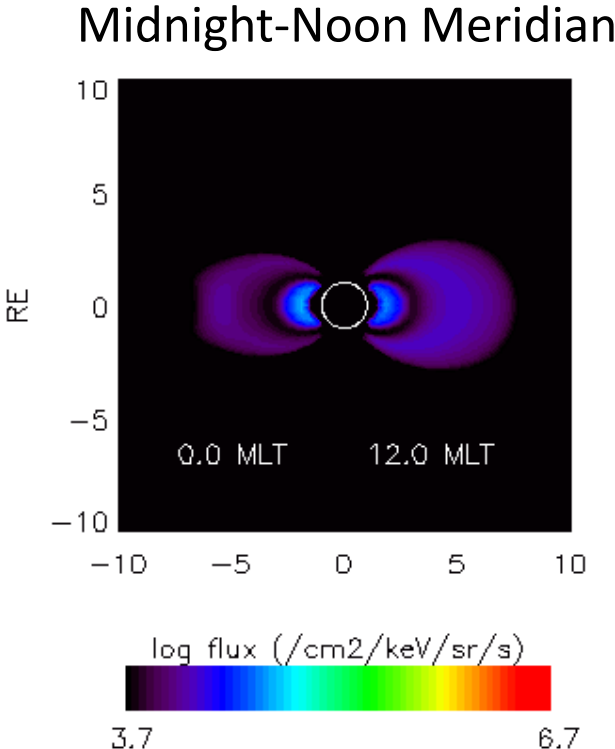
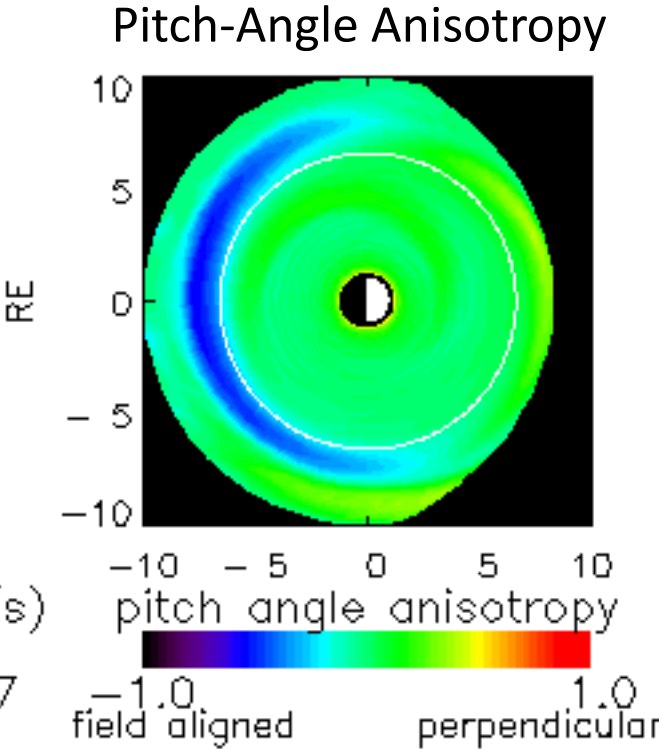
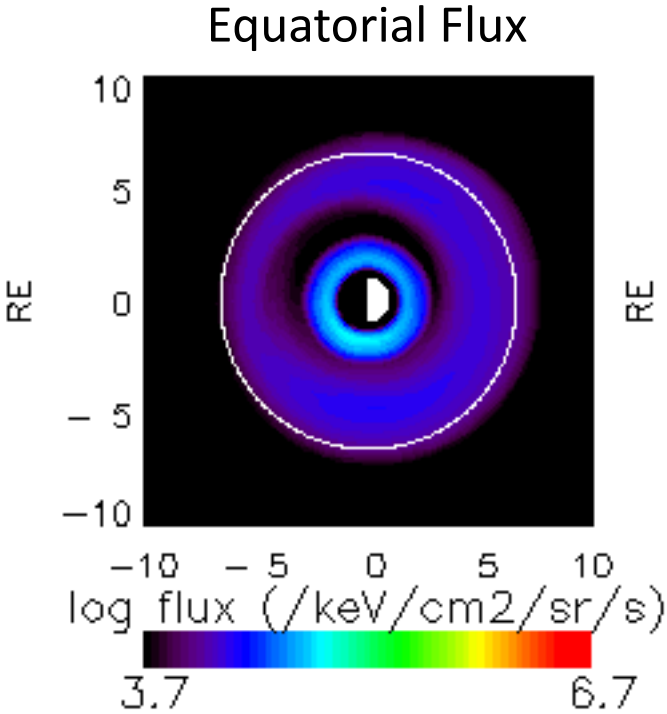
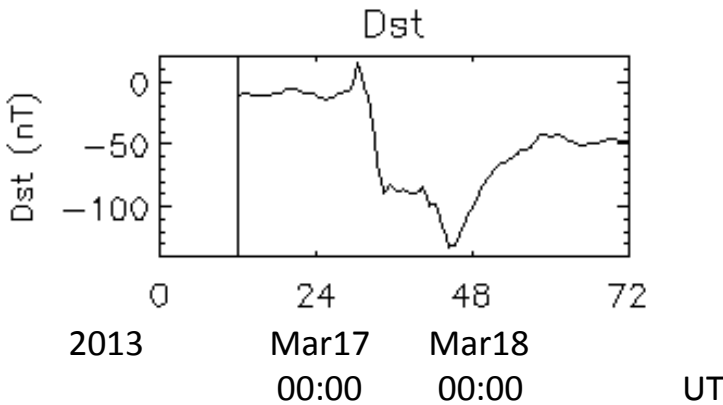
CIMI: Model Logic



[Mei-Ching Fok et al., 2014]

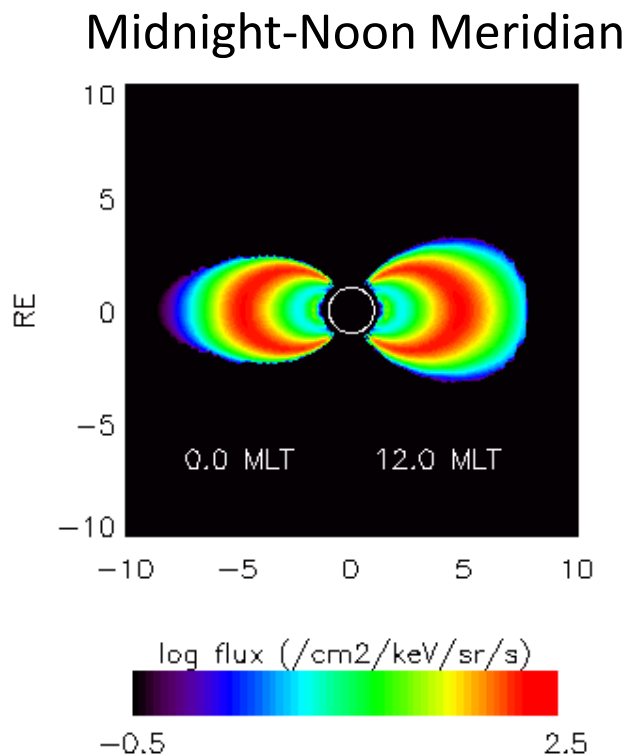
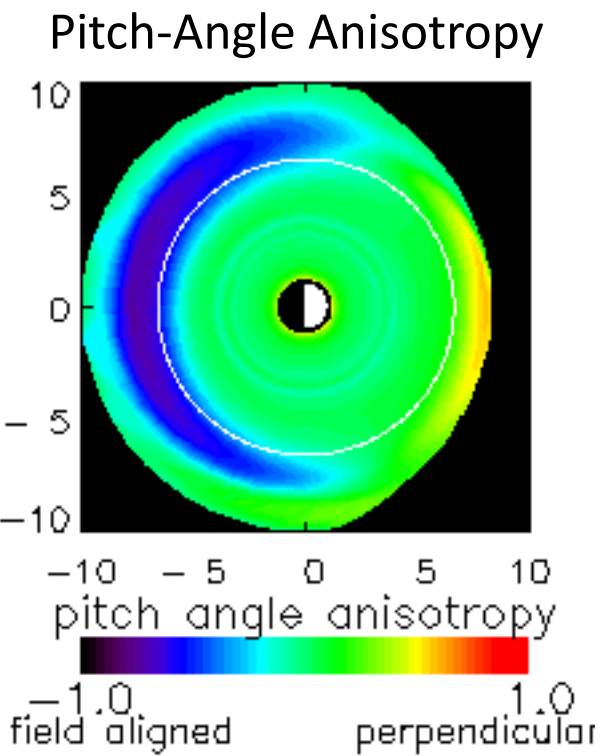
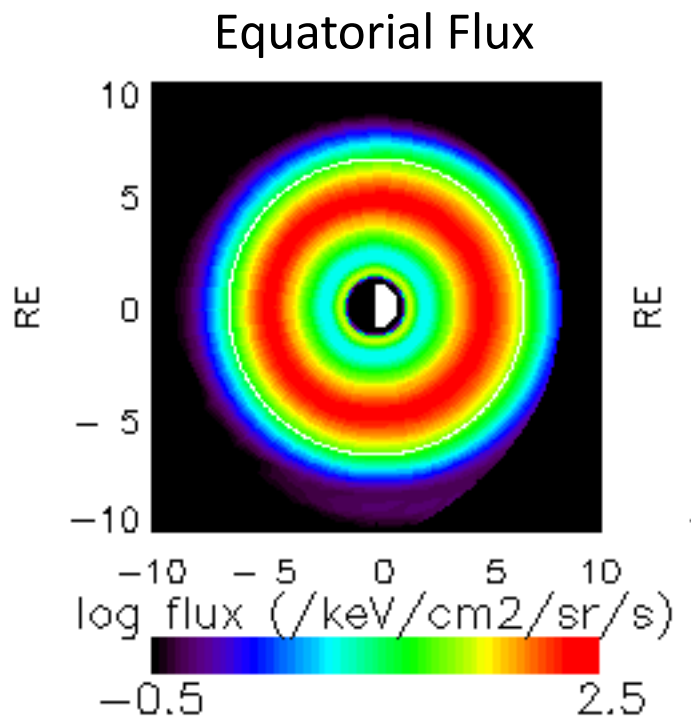
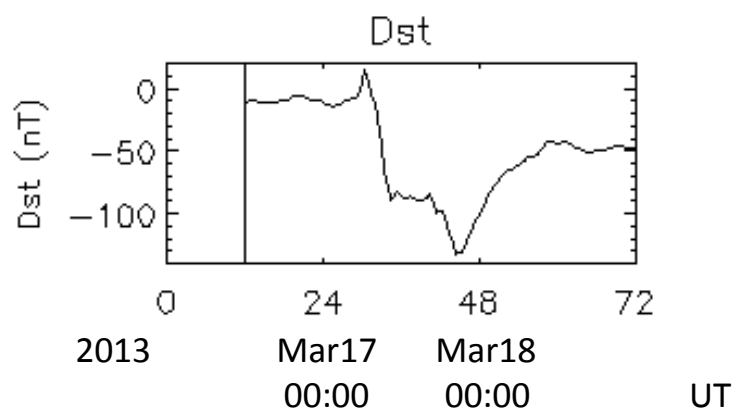


CIMI Prediction of Plasma Environment (100 keV e-)





CIMI Prediction of Plasma Environment (1 MeV e-)

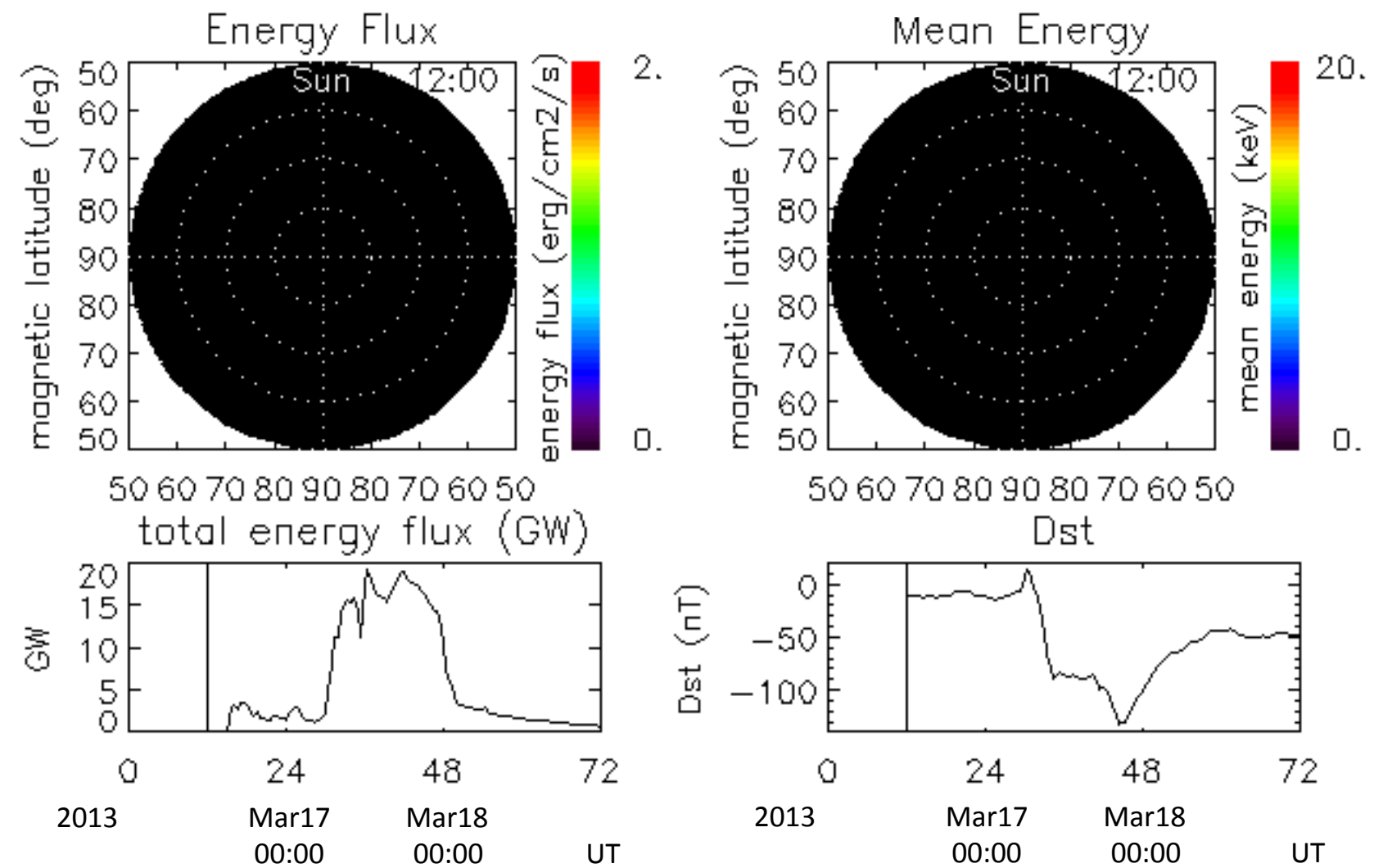




CIMI Prediction of Electron Precipitation



Electron Precipitation (< 40 keV)

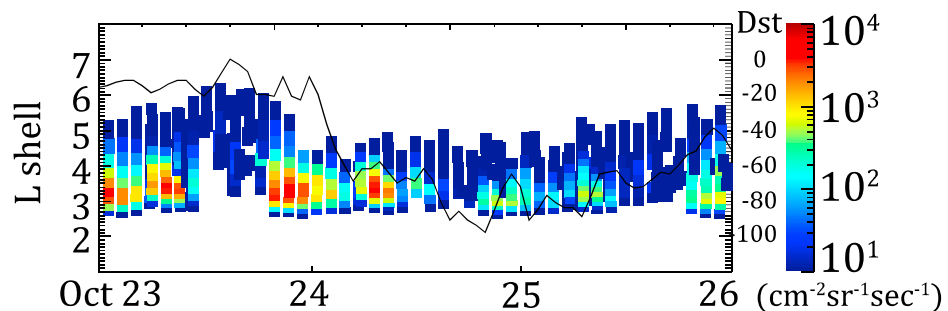




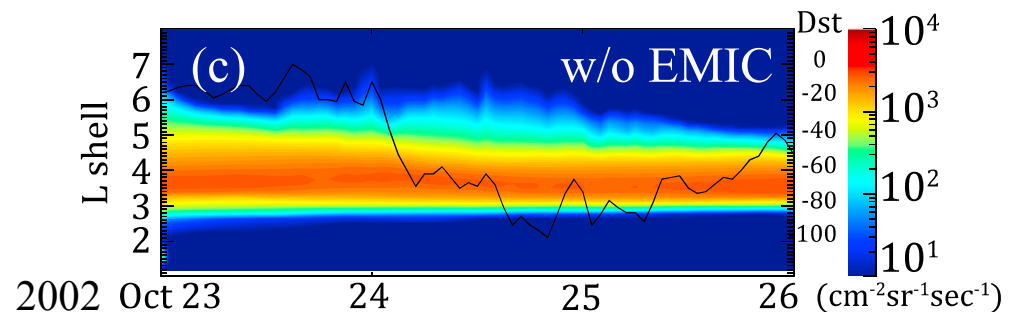
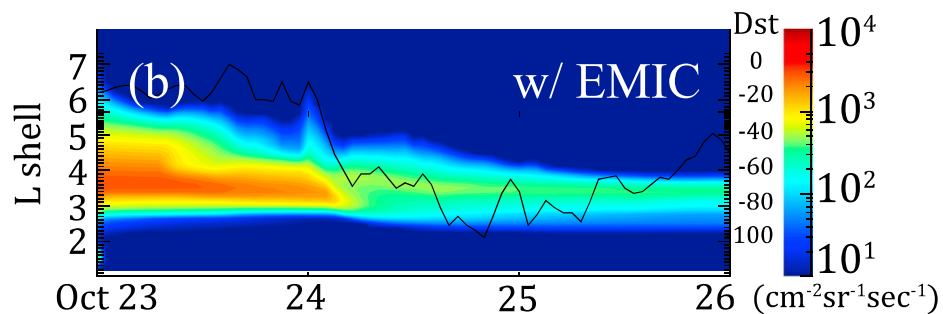
CIMI Predicts RB/RC Flux Along Satellite Paths



(a) SAMPEX > 2.5 MeV electron flux ($\text{cm}^{-2} \text{sr}^{-1} \text{sec}^{-1}$)



RBE > 2.5 MeV electron flux at 670 km



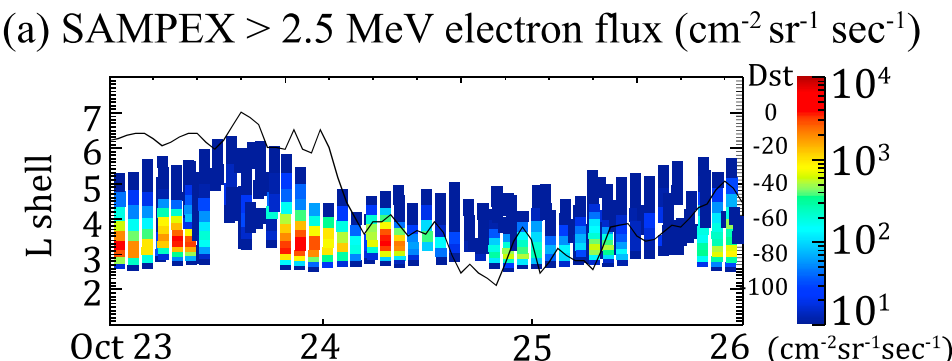
RBE: **R**adiation **B**elt **E**nvironment Model

CIMI = RBE + CRCM

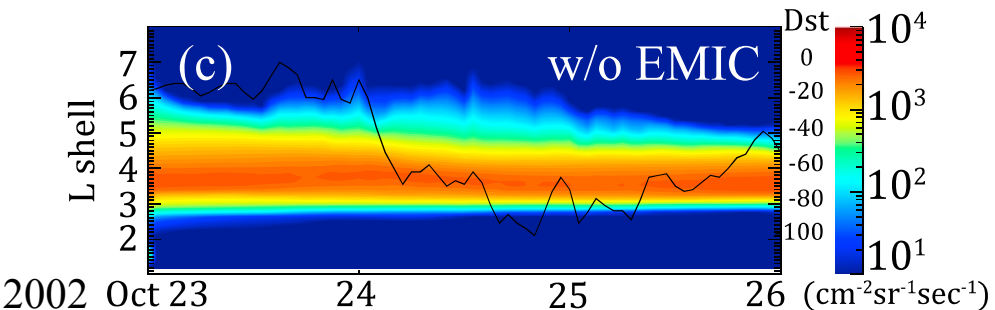
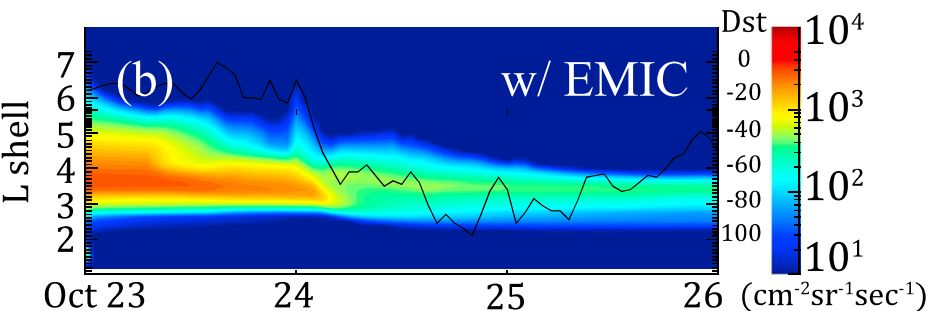
[Kang et al., 2016]



CIMI Predicts RB/RC Flux Along Satellite Paths

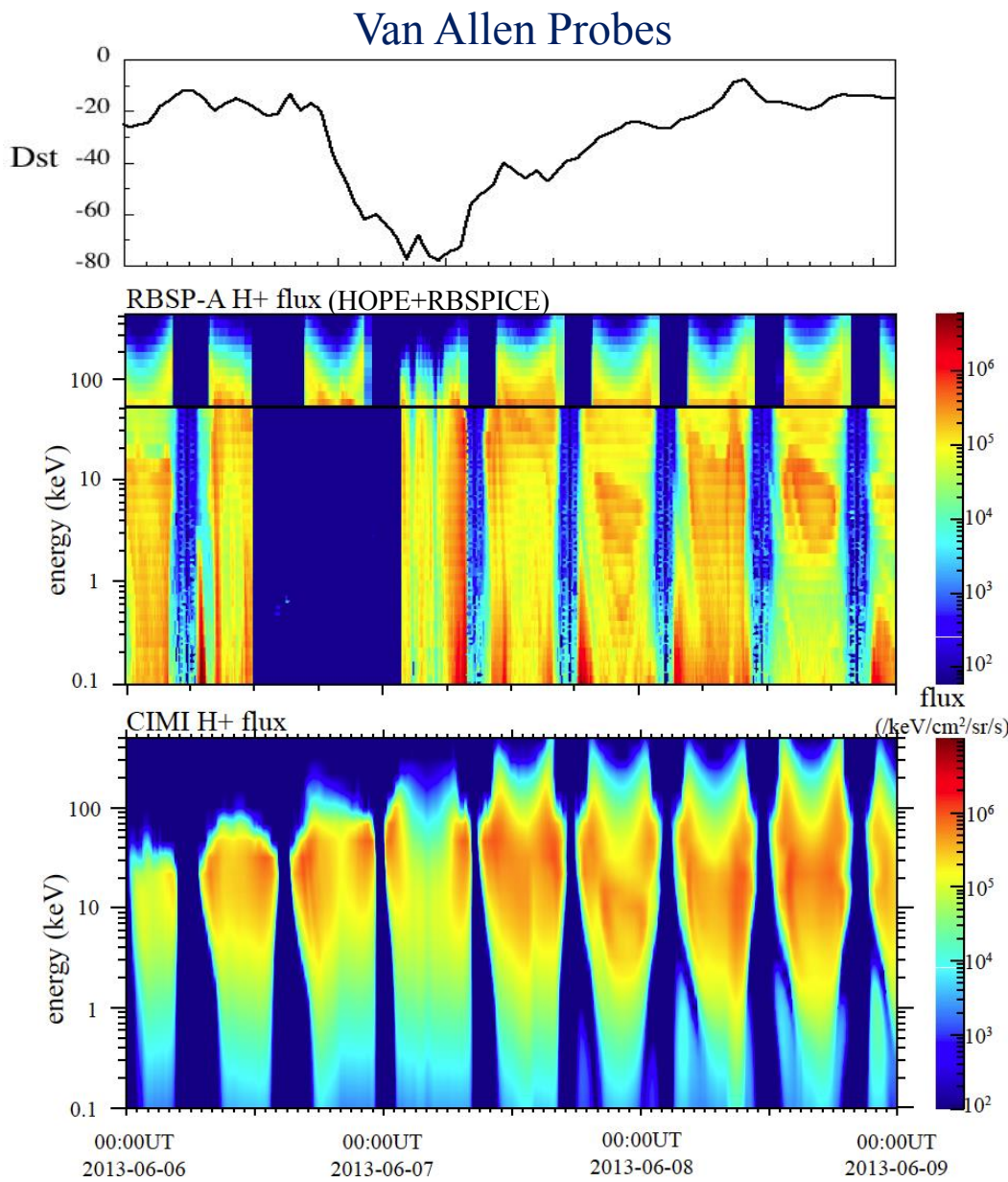


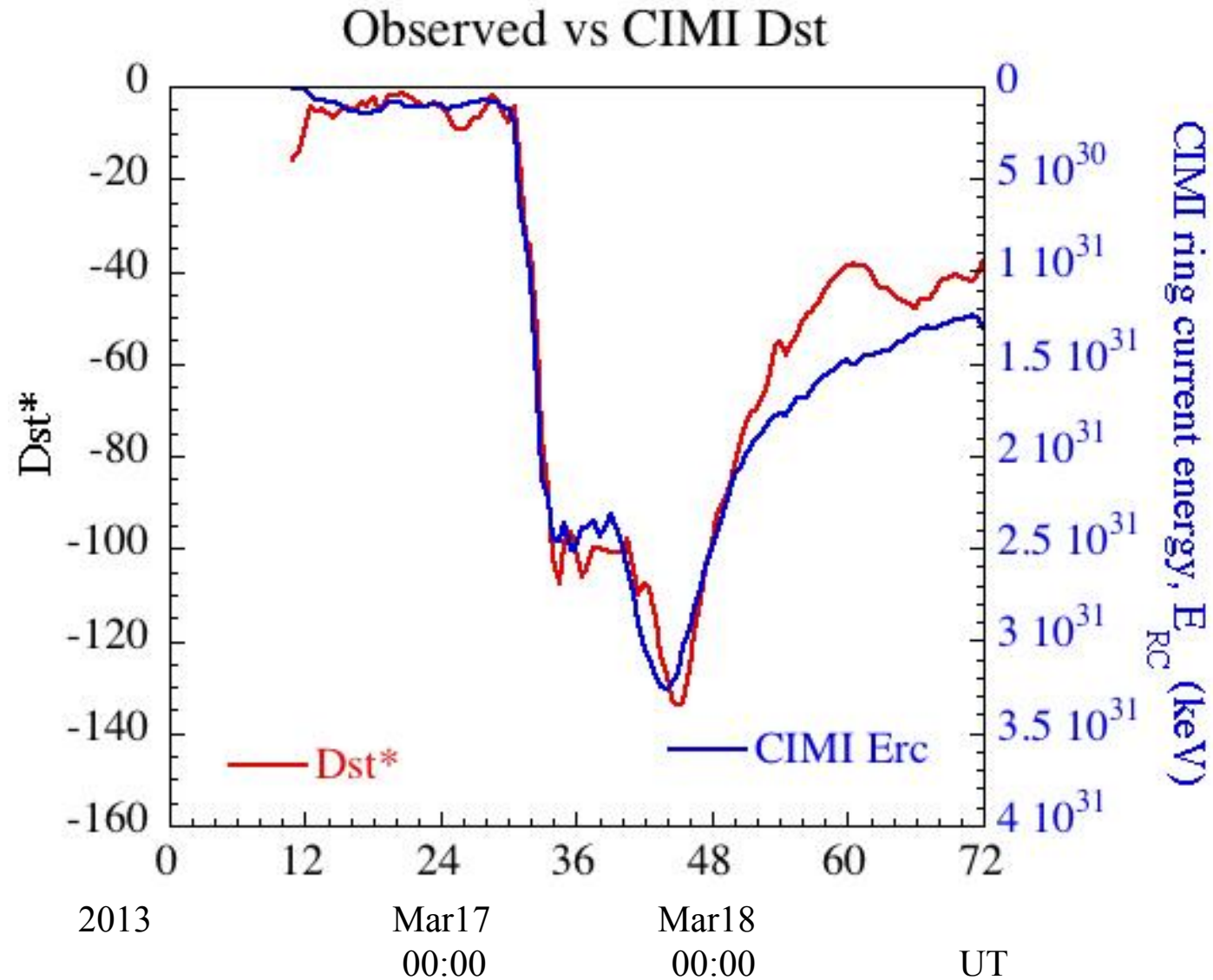
RBE > 2.5 MeV electron flux at 670 km



RBE: **R**adiation **B**elt **E**nvironment Model
CIMI = RBE + CRCM

[Kang et al., 2016]







Advances and Challenges



- * Advances:

- transform CIMI transport equation to new coordinates with uniform grid
i.e., $\ln E$ instead of E
- transform to new coordinates in which cross diffusion vanishes (J. Albert)

- * Challenges:

- solving transport of relativistic particles with convection approach is challenging
- need to understand the sources of warm (0.1 – 1 keV) plasma
- reproducing fast initial recovery of Dst is difficult
- getting qualitative agreements with observations but not quantitative