

# Ionospheres of the Terrestrial Planets

**Stan Solomon**

**High Altitude Observatory  
National Center for Atmospheric Research  
stans@ucar.edu**



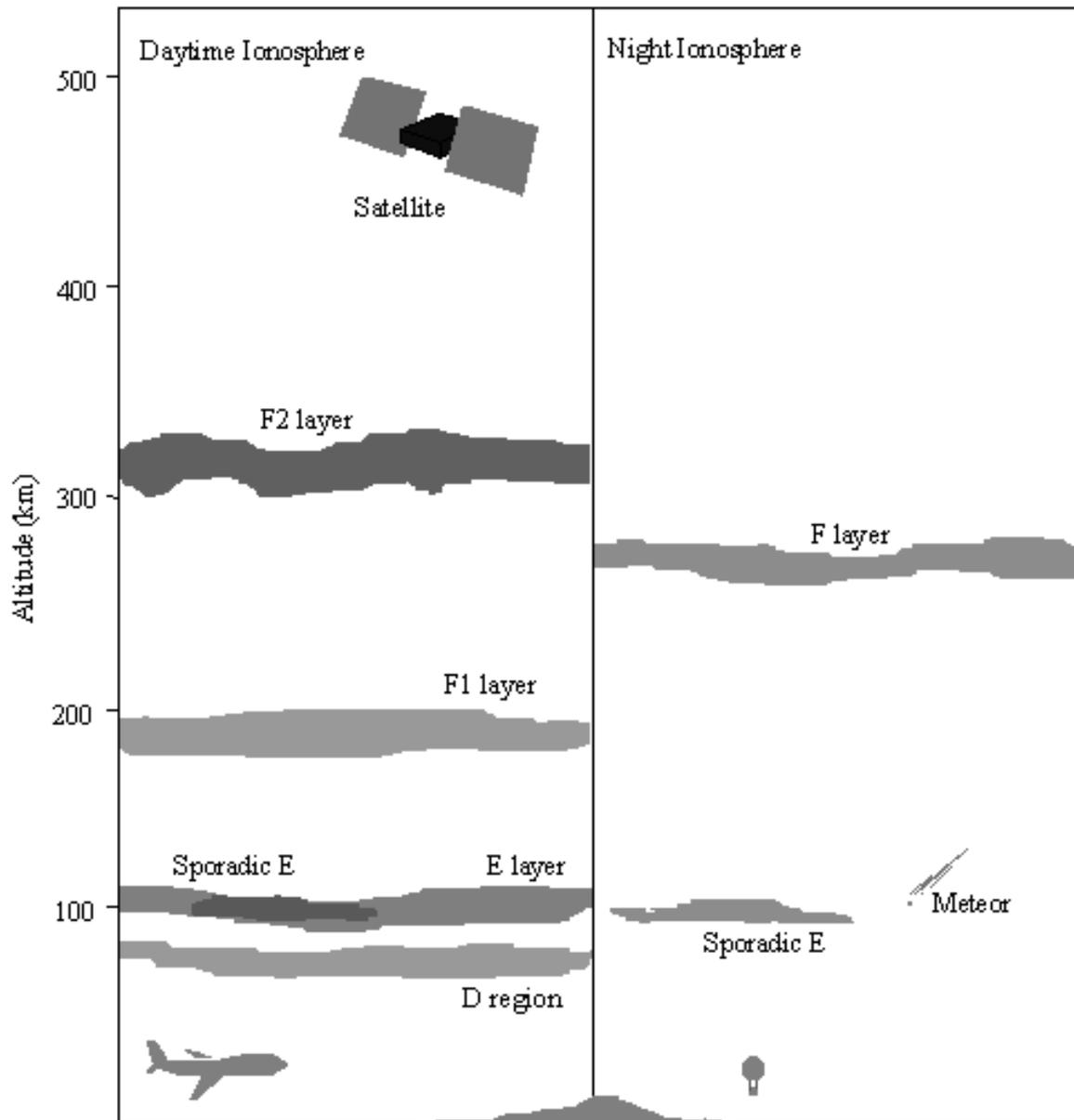
**NCAR**



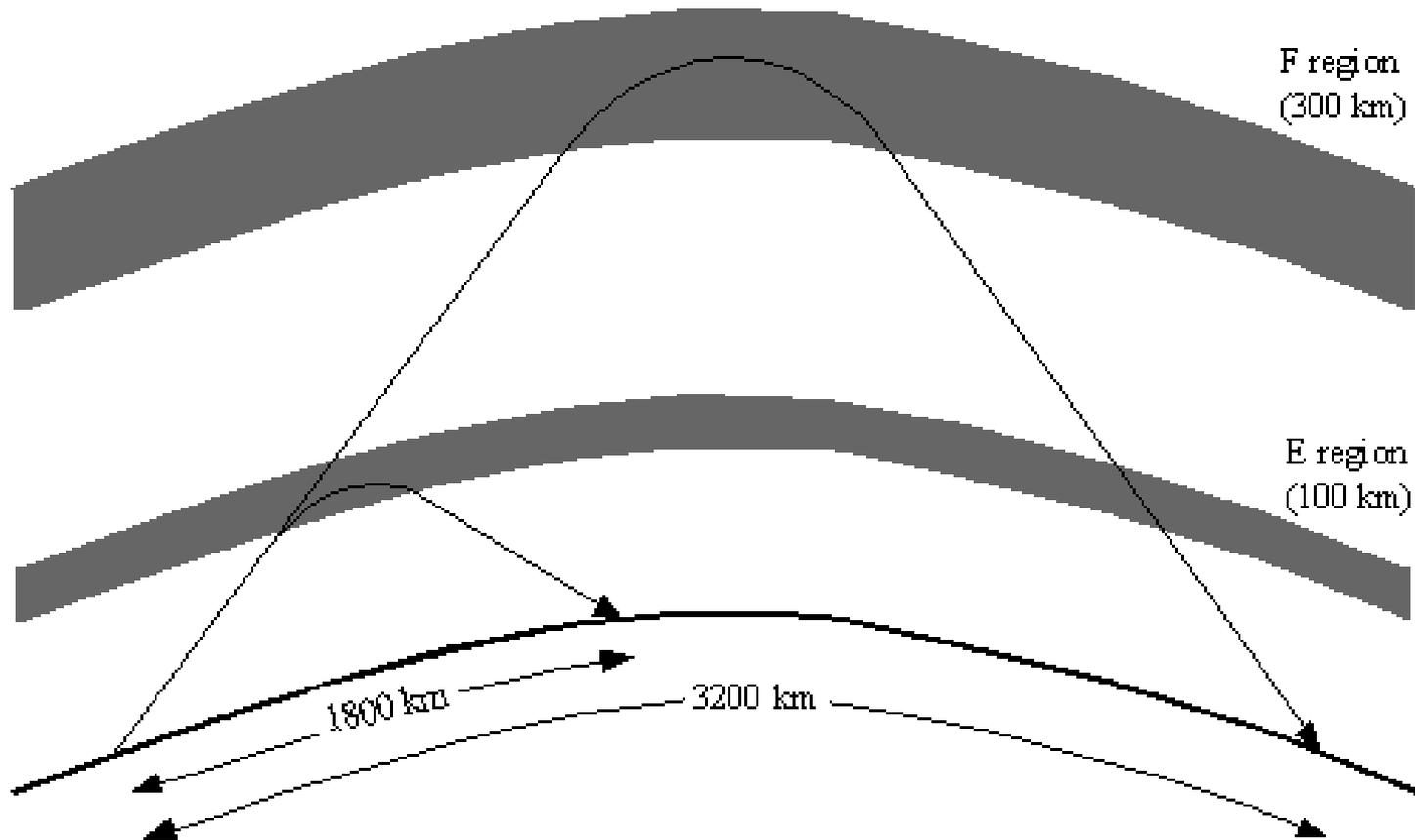
# Outline

- Introduction to Earth's ionosphere
- Overview of Earth's atmosphere
- Ionization processes
- Chemical processes
- Mars & Venus
- Why is Earth so different?

# “Layers” in Earth’s Ionosphere



# Reflection of Radio Waves by the Ionosphere

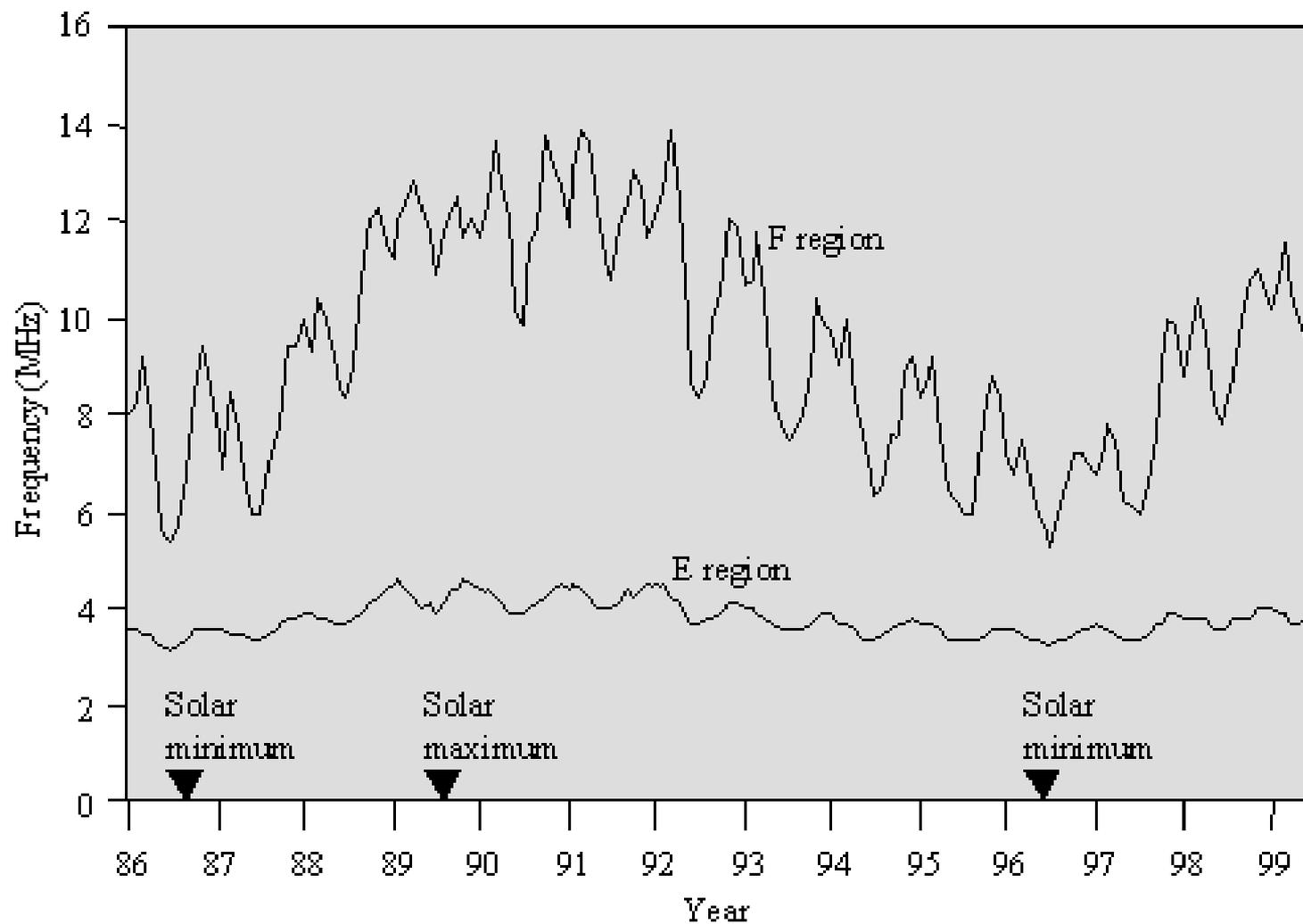


Reflection starts at the “Critical Frequency”, which is when the radio frequency equals the plasma frequency.

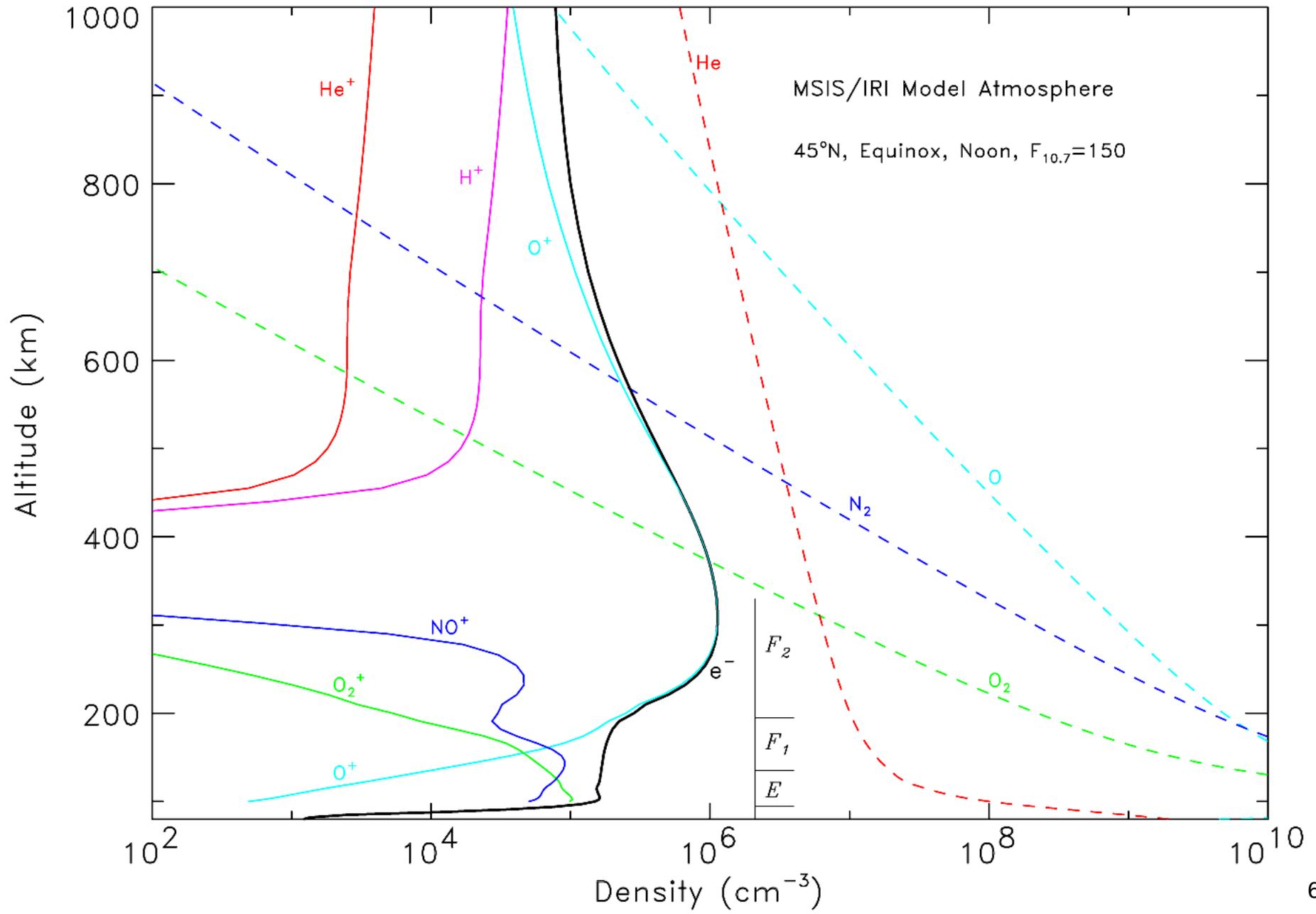
$$f_0 = 9\sqrt{10^{-6} n_e}$$

( $f_0$  in megahertz,  $n_e$  in  $\text{cm}^{-3}$ )

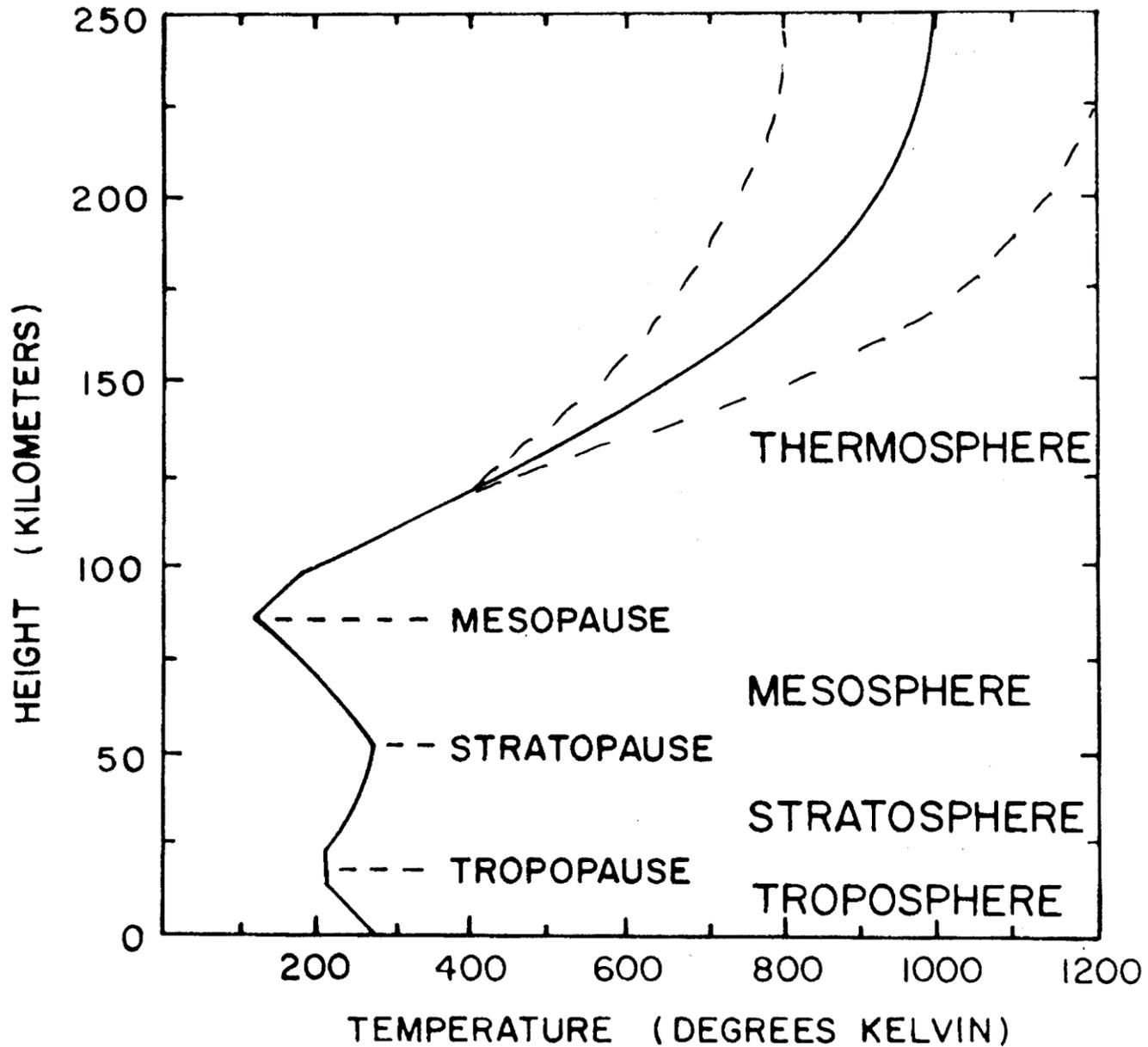
# Critical Frequency Varies with Season and Solar Cycle



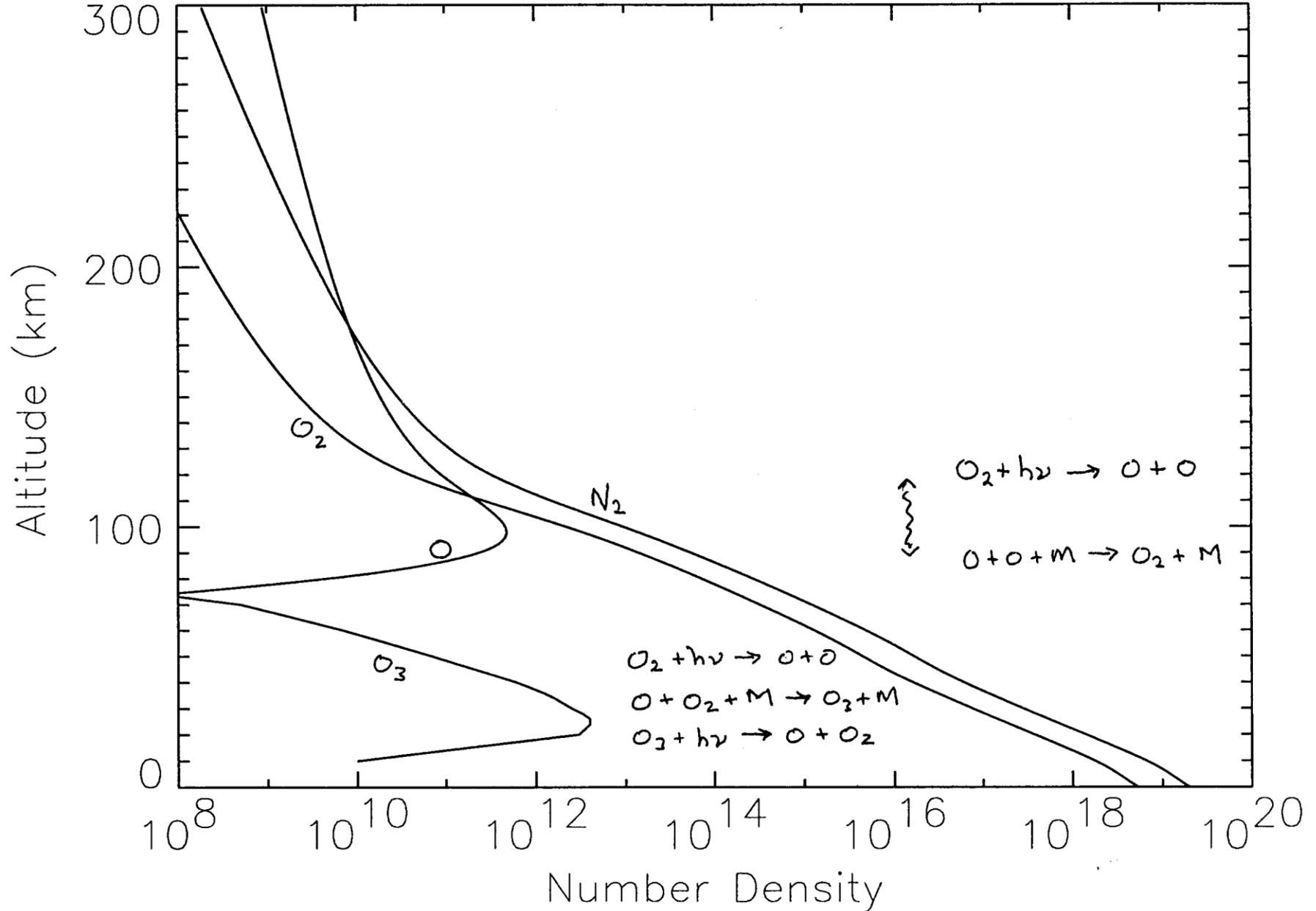
# The Ionosphere is Mostly Neutral



# Thermal Structure of Earth's Atmosphere



# Density Structure of the Earth's Atmosphere



# Atmospheric Distribution in Hydrostatic Equilibrium

Good text: Chamberlain & Hunten, Theory of Planetary Atmospheres

Pressure Gradient:  $\frac{dp}{dz} = -g(z)\rho$       height derivative of pressure equals  
acceleration of gravity times density

Perfect Gas Law:  $p = nkT = \frac{\rho}{M} kT$

Approximation: If  $g$  and  $T$  are not functions of  $z$ , then:

$$\frac{dp}{dz} = -p \frac{Mg}{kT} = -\frac{p}{H} \qquad H = \frac{kT}{Mg}$$

$H$  = scale height (e-folding distance)

$$\frac{dp}{p} = -\frac{dz}{H} \qquad p(z) = p(z_0) \exp\left[-\frac{z - z_0}{H}\right]$$

# Atmospheric Density Distribution

If  $T$ ,  $M$ , and  $g$  are not functions of  $z$ :

$$n(z) = n(z_0) \exp\left[-\frac{z - z_0}{H}\right]$$

Mixed atmosphere (below  $\sim 100$  km):

$$H = \frac{kT}{Mg}$$

$M$  is the mean molecular weight of atmospheric gases

Diffusively separating atmosphere (above  $\sim 100$  km):

$$H_i = \frac{kT}{m_i g}$$

$m_i$  is the molecular weight of individual species

— *Each species follows its own scale height.*

# Column Density

*Column Density*: the number of molecules per unit area in a column above  $z_0$ :

$$N(z_0) = \int_{z_0}^{\infty} n(z) dz$$

Approximation for constant  $H$ :

$$N(z_0) = \int_{z_0}^{\infty} n(z_0) \exp\left[-\frac{z - z_0}{H}\right] dz = -Hn(z_0) \left[ \exp\left[-\frac{z - z_0}{H}\right] \right]_{z_0}^{\infty}$$

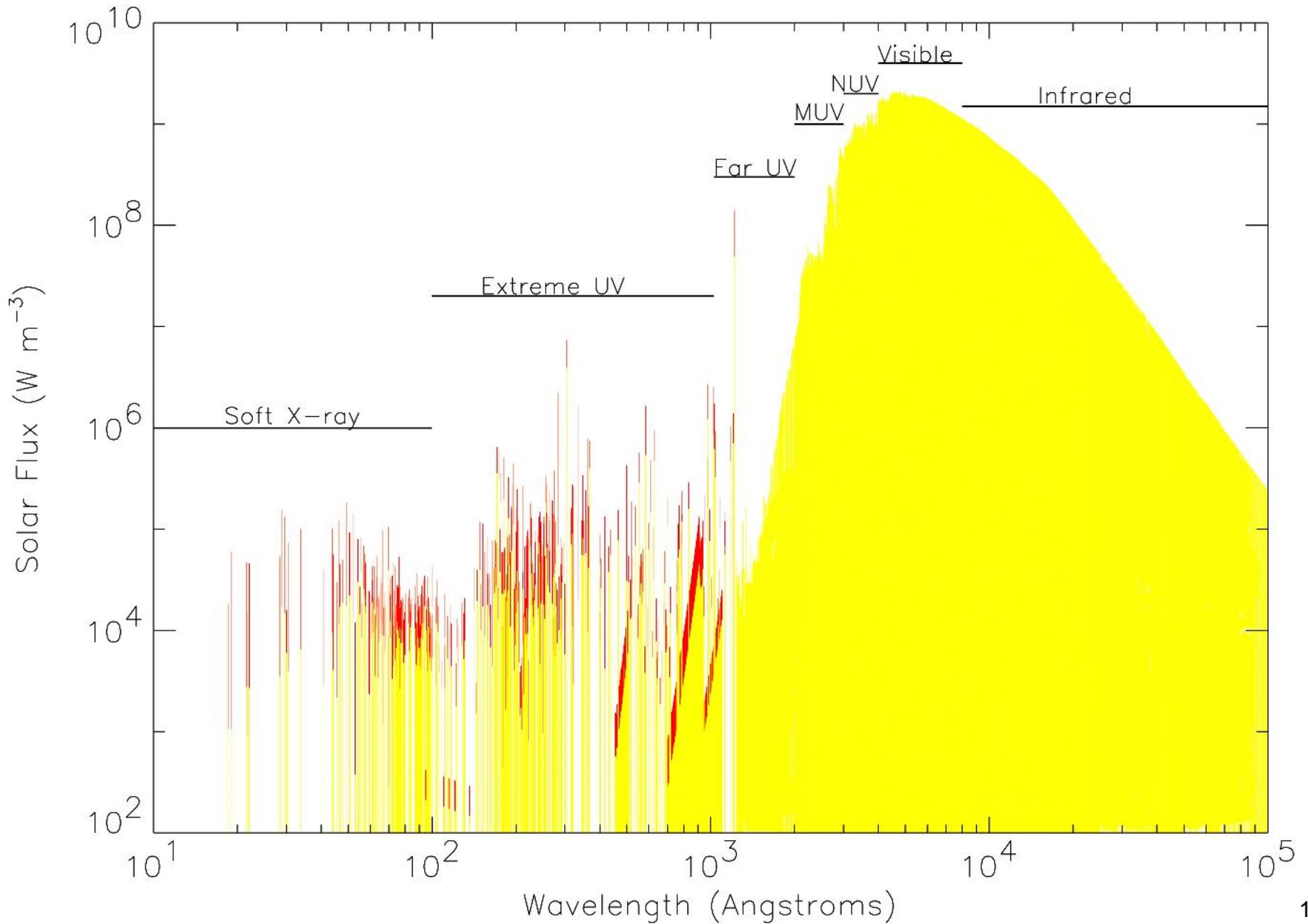
$$N(z_0) = Hn(z_0)$$

## Question for Discussion

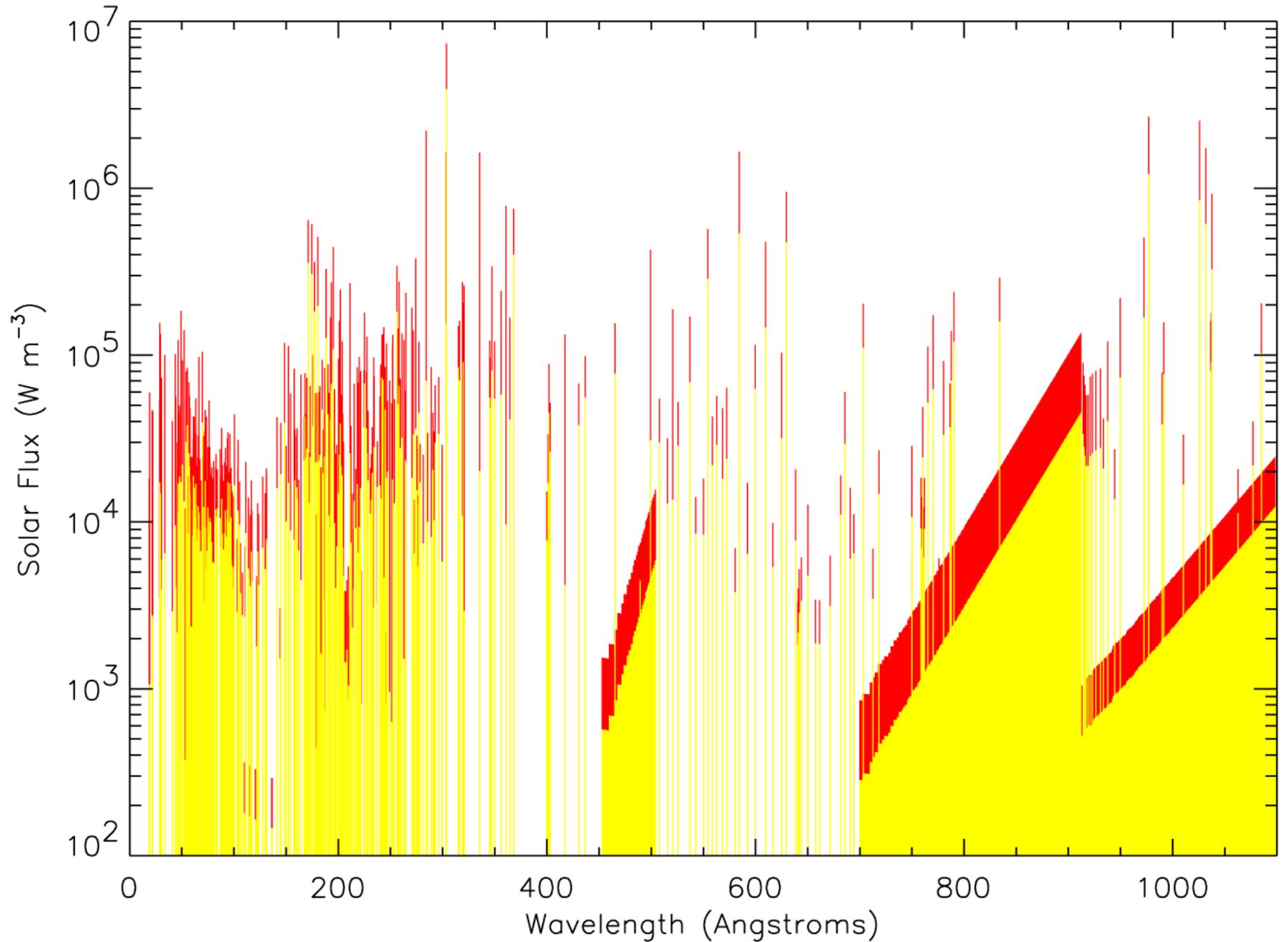
Suppose that a satellite is in low-Earth orbit at 300 km altitude. If the temperature of the thermosphere increases (for instance, as a result of an increase in solar ultraviolet radiation) then the density at 300 km will:

1. Increase
2. Decrease

# The Solar Spectrum



# Solar Extreme-Ultraviolet and Soft X-ray Spectrum



# Where does ionization occur in an atmosphere?

Controlled by *cross sections* of atmospheric gases for absorption ( $\sigma$ ) and ionization ( $\sigma_i$ ).

Which are in general a function of wavelength ( $\lambda$ ).

For a single-species, plane-parallel atmosphere, at any particular  $\lambda$ :

*Ionization Rate* = (radiation intensity) x (ionization cross section) x (density)

$$q(z) = q_z = I_z \sigma_i n_z$$
$$n_z = n_0 \exp\left[-\frac{z - z_0}{H}\right]$$

*Beer's law:*  $I_z = I_\infty \exp(-\tau_z)$

where  $\tau_z$  is the *optical depth*:  $\tau_z = \frac{\sigma N_z}{\mu} = \frac{\sigma n_z H}{\mu} = \frac{\sigma n_0 H}{\mu} \exp\left[-\frac{z - z_0}{H}\right]$

and  $\mu = \cos$  (solar zenith angle)

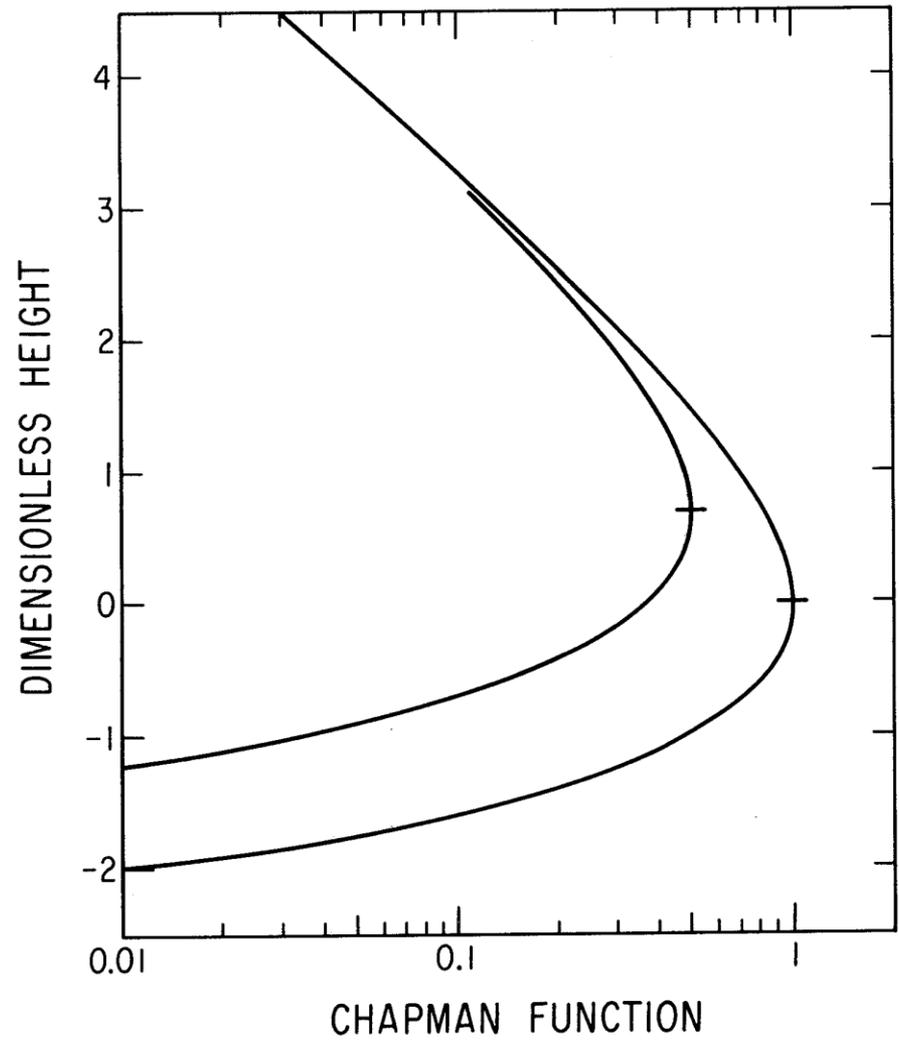
$$I_z = I_\infty \exp\left[-\frac{\sigma n_0 H}{\mu} \exp\left(-\frac{z - z_0}{H}\right)\right]$$

# Chapman Function

$$q_z = I_z \sigma_i n_z$$

$$q_z = I_\infty \exp(-\tau_z) \sigma_i n_0 \exp\left[-\frac{z - z_0}{H}\right]$$

$$q_z = I_\infty \sigma_i n_0 \exp\left[-\frac{z - z_0}{H} - \tau_z\right]$$



Chapman weighting functions  $\text{Ch}(z)$  for  $\mu = 1$  and  $0.5$ .

## Where is the peak of a Chapman function?

$$q_z = I_\infty \sigma_i n_0 \exp\left[-\frac{z - z_0}{H} - \tau_z\right]$$

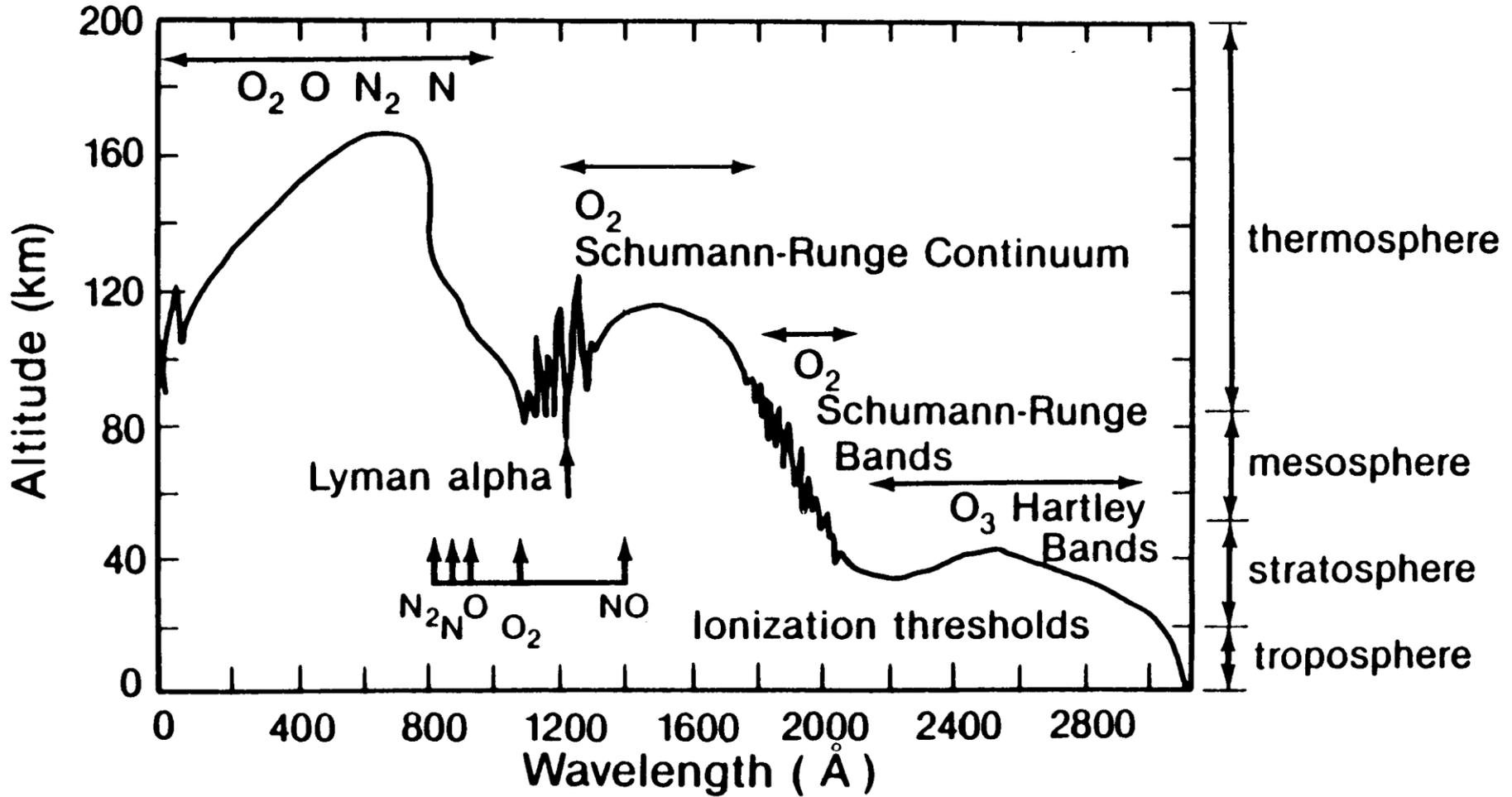
$$\tau_z = \frac{\sigma n_0 H}{\mu} \exp\left[-\frac{z - z_0}{H}\right]$$

$$\frac{dq_z}{dz} = I_\infty \sigma_i n_0 \left[-\frac{1}{H} + \frac{\tau_z}{H}\right] \exp\left[-\frac{z - z_0}{H} - \tau_z\right] = 0$$

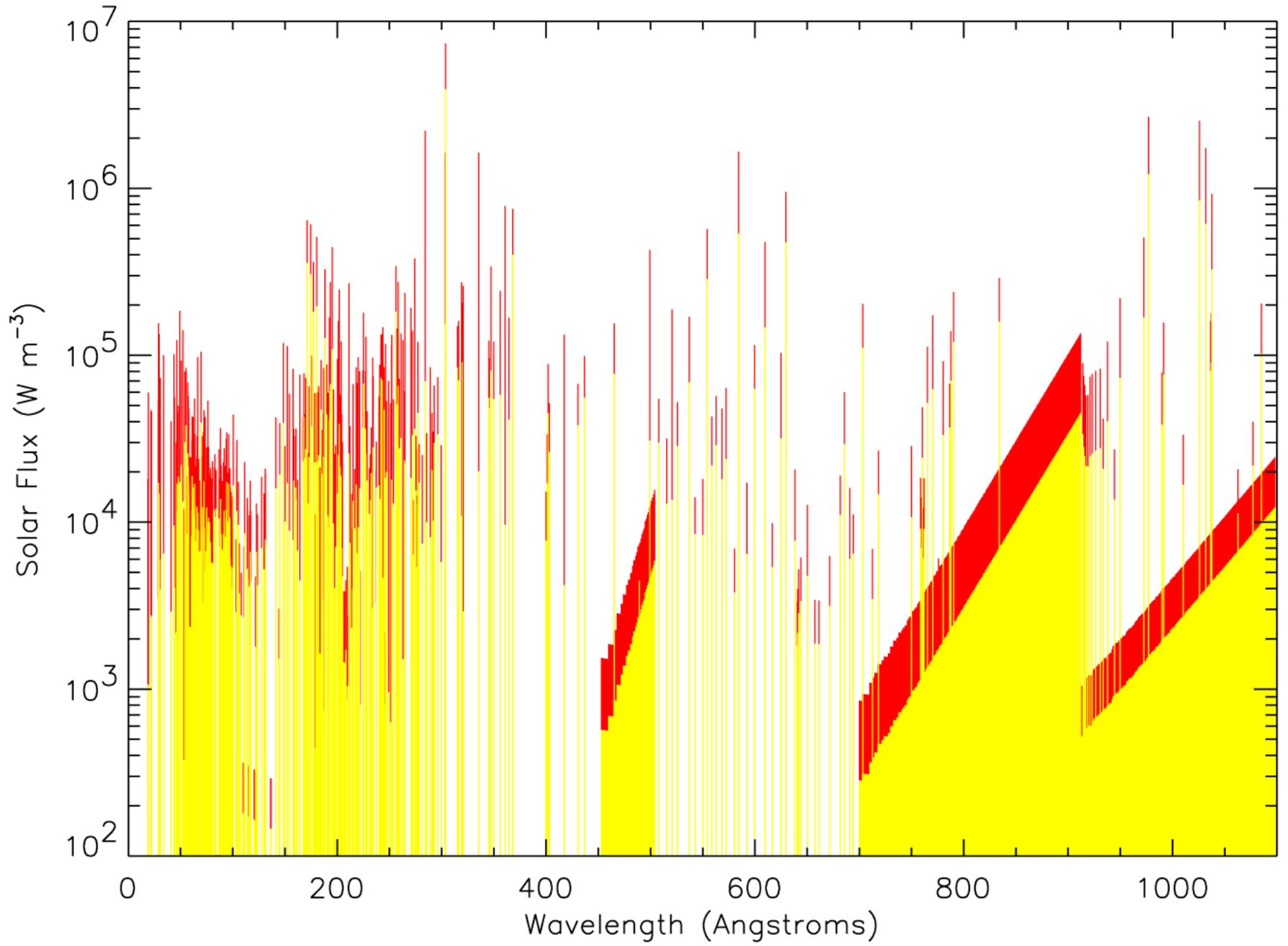
$$-\frac{1}{H} + \frac{\tau_z}{H} = 0$$

$$\tau_z = 1$$

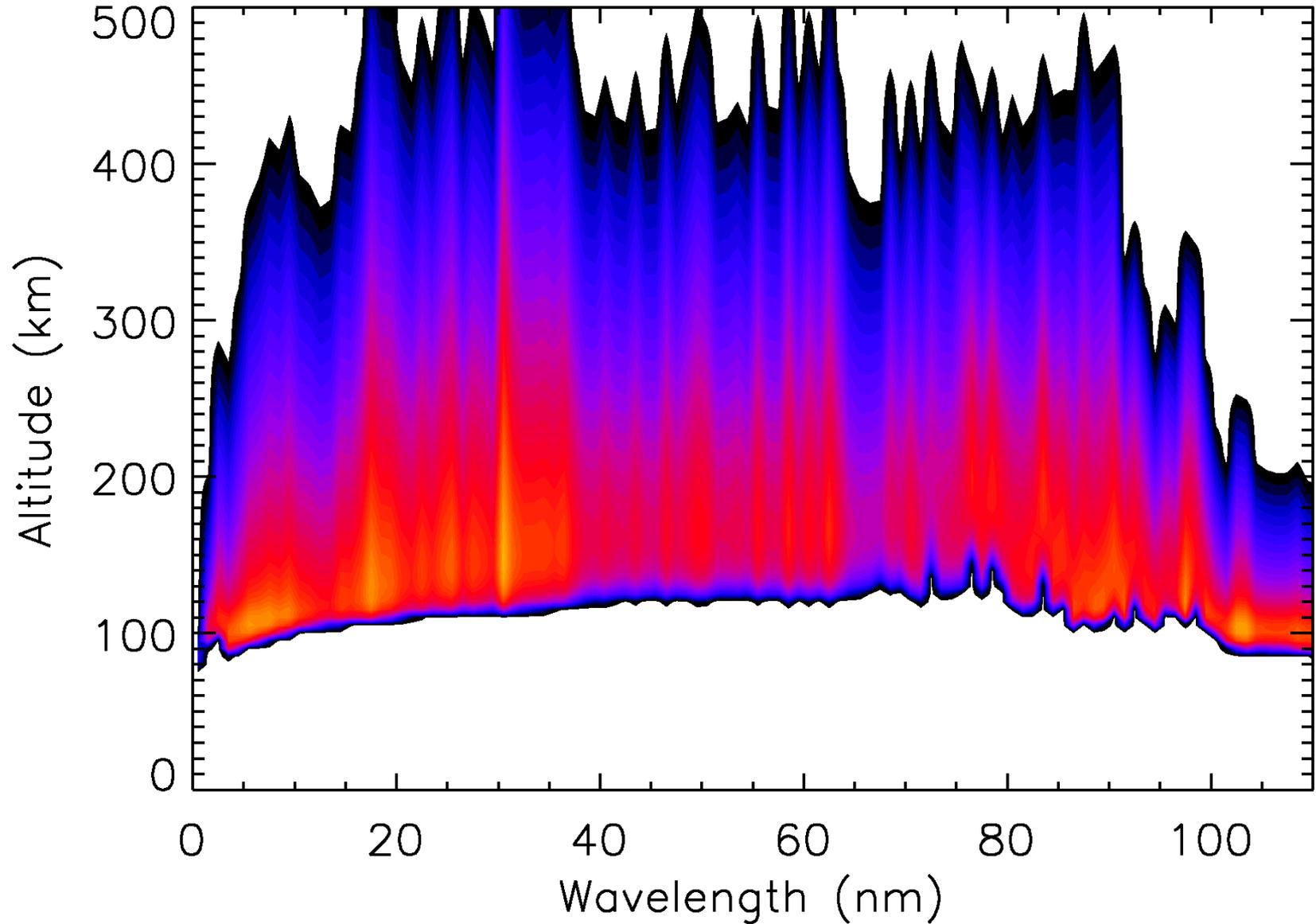
# Canonical Plot of $\tau = 1$



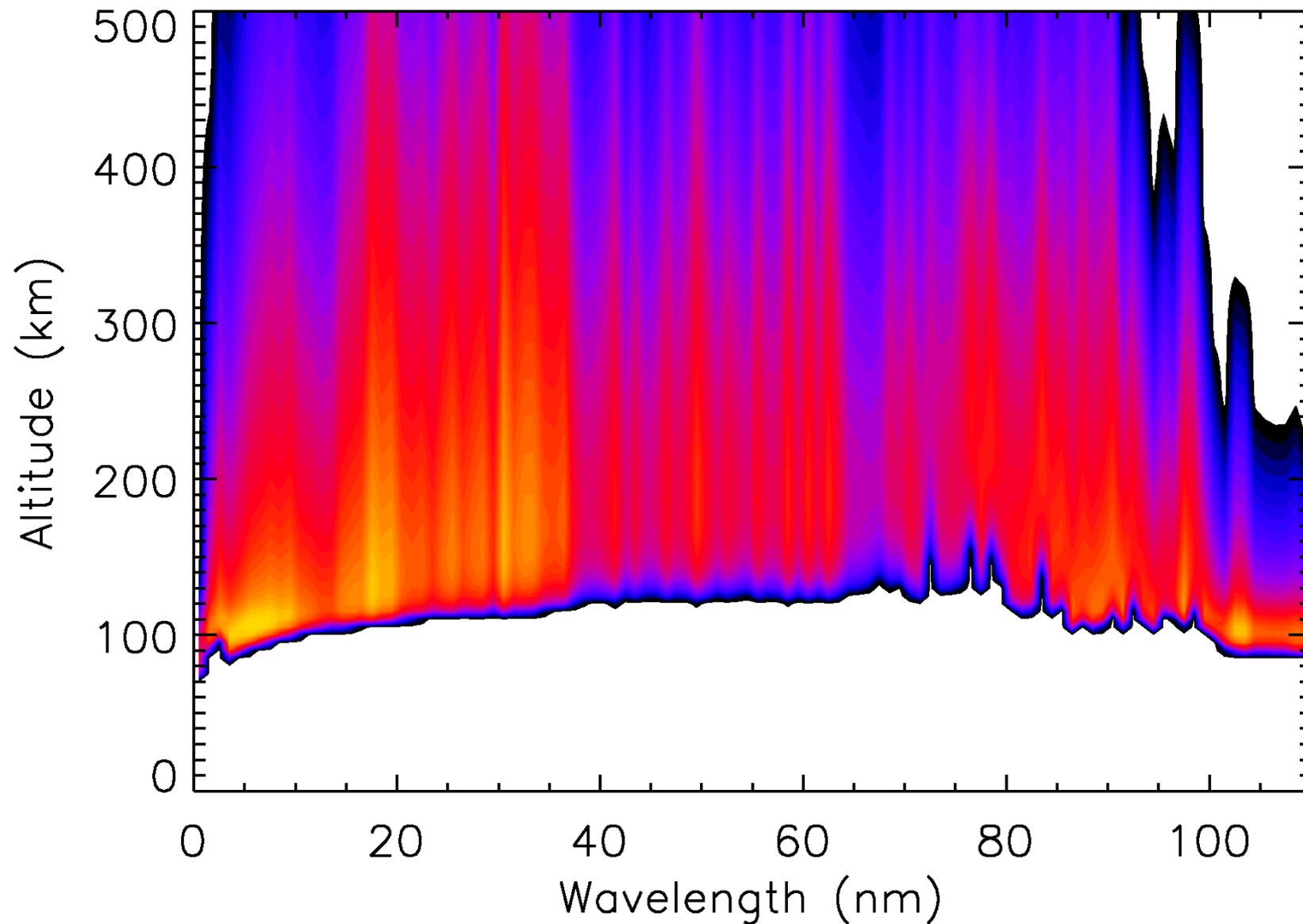
# Solar Extreme-Ultraviolet and Soft X-ray Spectrum



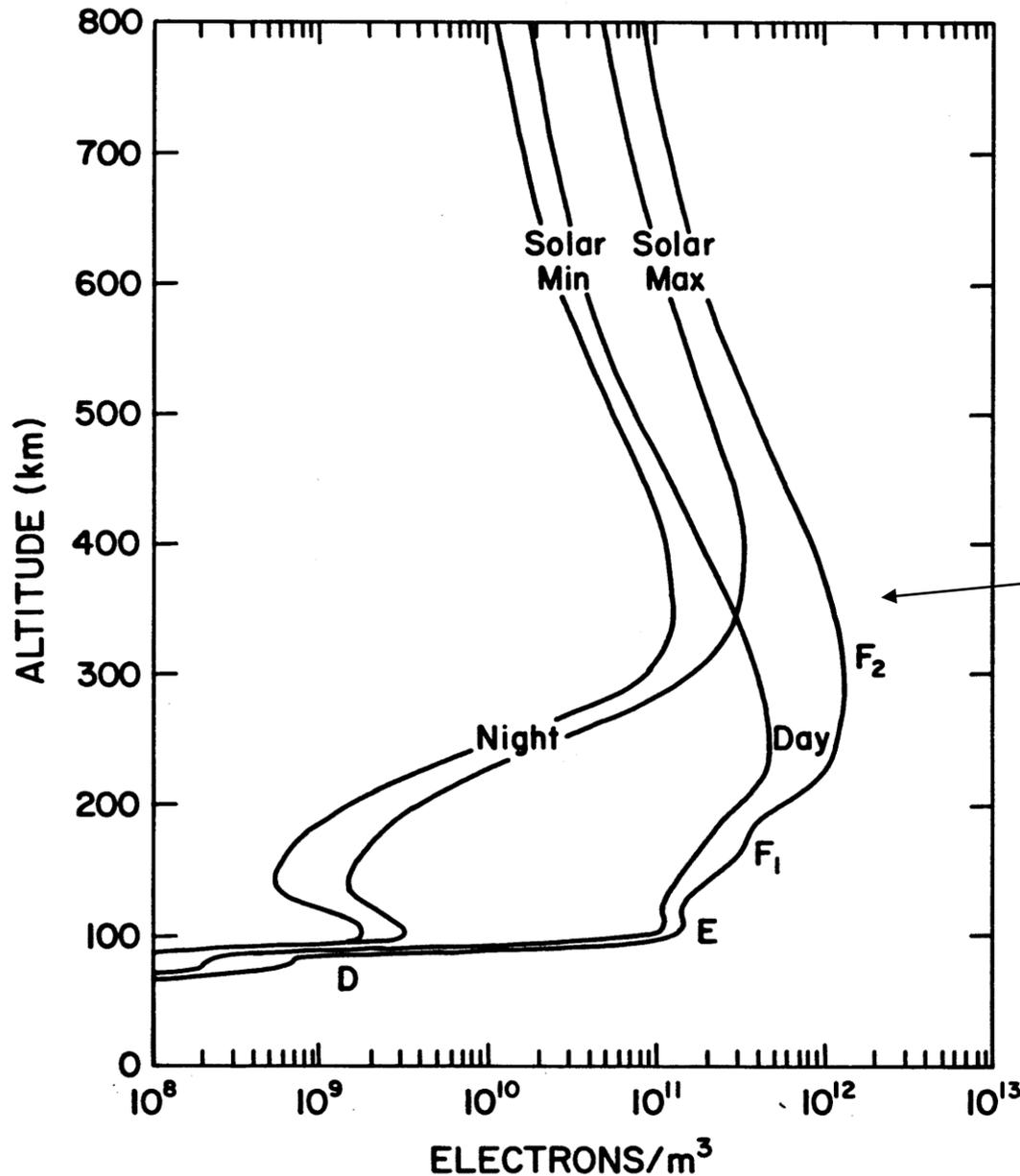
# Wavelength-Dependence of Ionization Rates (solar min)



# Wavelength-Dependence of Ionization Rates (solar max)

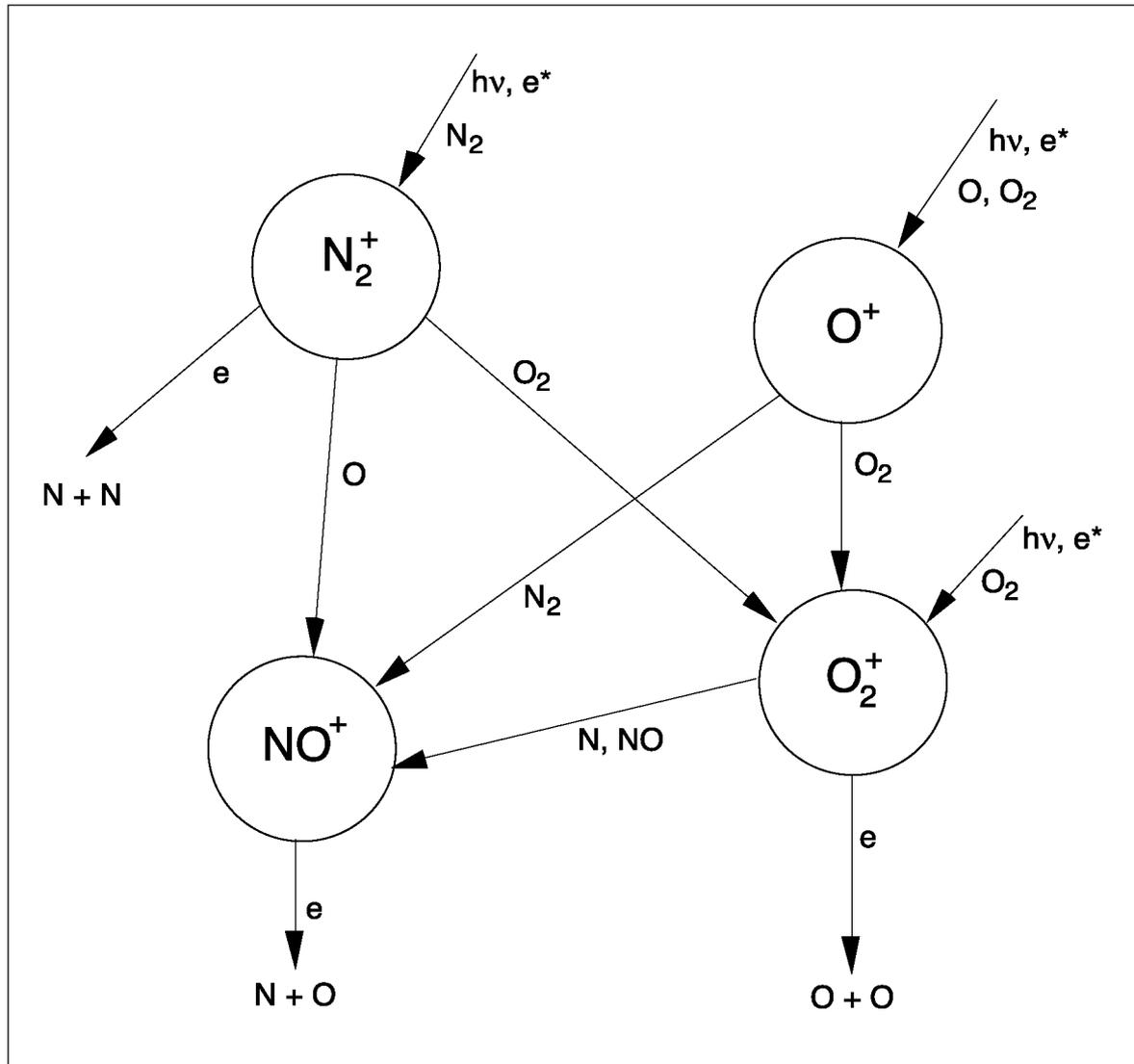


# Basic Altitude Structure of the Earth's Ionosphere



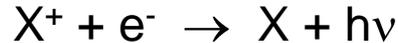
What is all this ionization doing way up in here in the "F region" ??

# Principal Ionization Processes on Earth



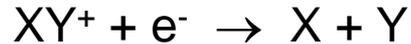
# Types of Ionospheric Chemical Reactions

## Radiative Recombination



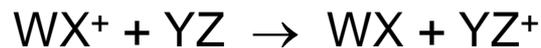
*slow, rate coefficients of the order of  $10^{-12} \text{ cm}^3 \text{ s}^{-1}$*

## Dissociative Recombination



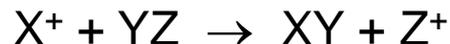
*fast, rate coefficients of the order of  $10^{-7} \text{ cm}^3 \text{ s}^{-1}$*

## Charge Exchange



*moderately fast, rate coefficients of the order of  $10^{-10} \text{ cm}^3 \text{ s}^{-1}$*

## Atom-Ion Interchange



*rate depends on the strength of the YZ bond*

# Simple Case – Single Species Molecular Atmosphere



Assuming photochemical equilibrium:  $q = \alpha [M_2^+] [e^-]$

Assuming charge neutrality:  $[e^-] = (q/\alpha)^{1/2}$

This formula approximates densities in the “E region” of Earth’s ionosphere, since it is mostly molecular ions, photochemical equilibrium applies, and most dissociative recombination rates are similar (i.e., very fast).

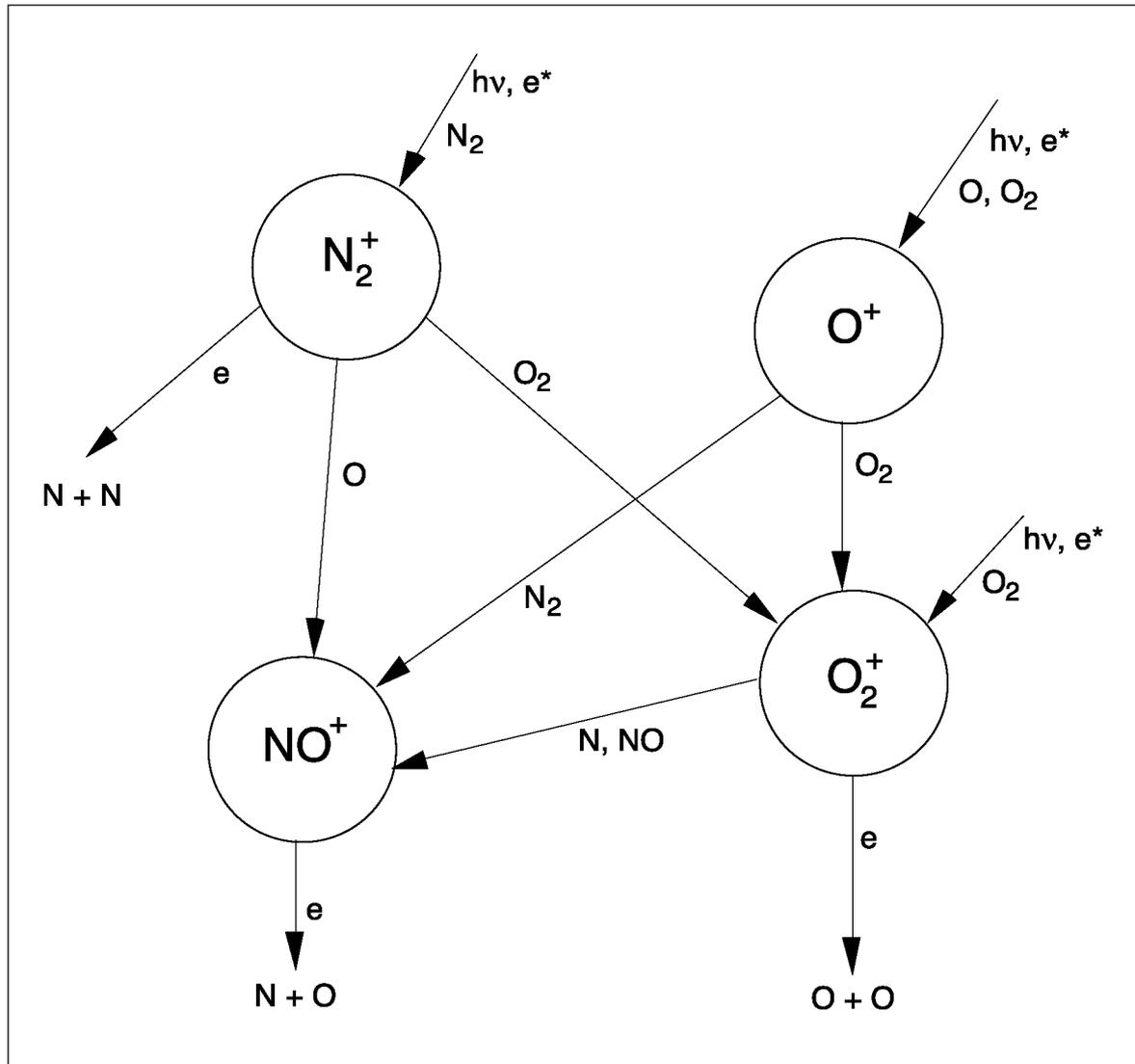
# Complicated Case – Earth's $F$ Region Ionosphere

Because of the decrease in molecular densities, the photochemical lifetime of  $O^+$  becomes longer than the diffusion lifetime (the time it takes to move by a scale height in the vertical direction) above  $\sim 200$  km.

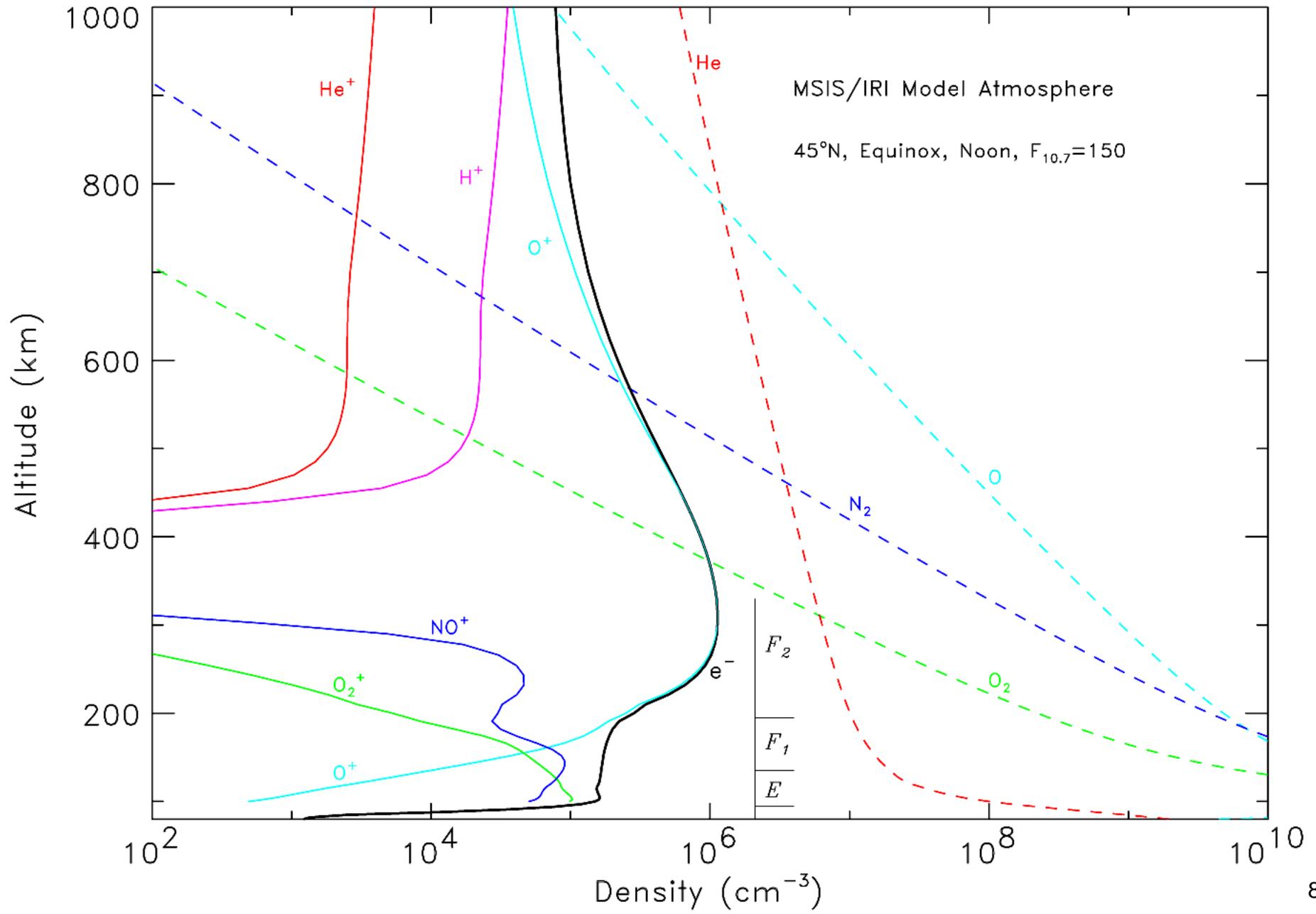
Thus, the  $F$  region is *not* a simple Chapman layer caused by the absorption of radiation, but rather a balance between chemical production at lower altitude and ambipolar diffusion at higher altitude.

The long lifetime of  $O^+$  at high altitude is also why the  $F_2$  region persists at night.

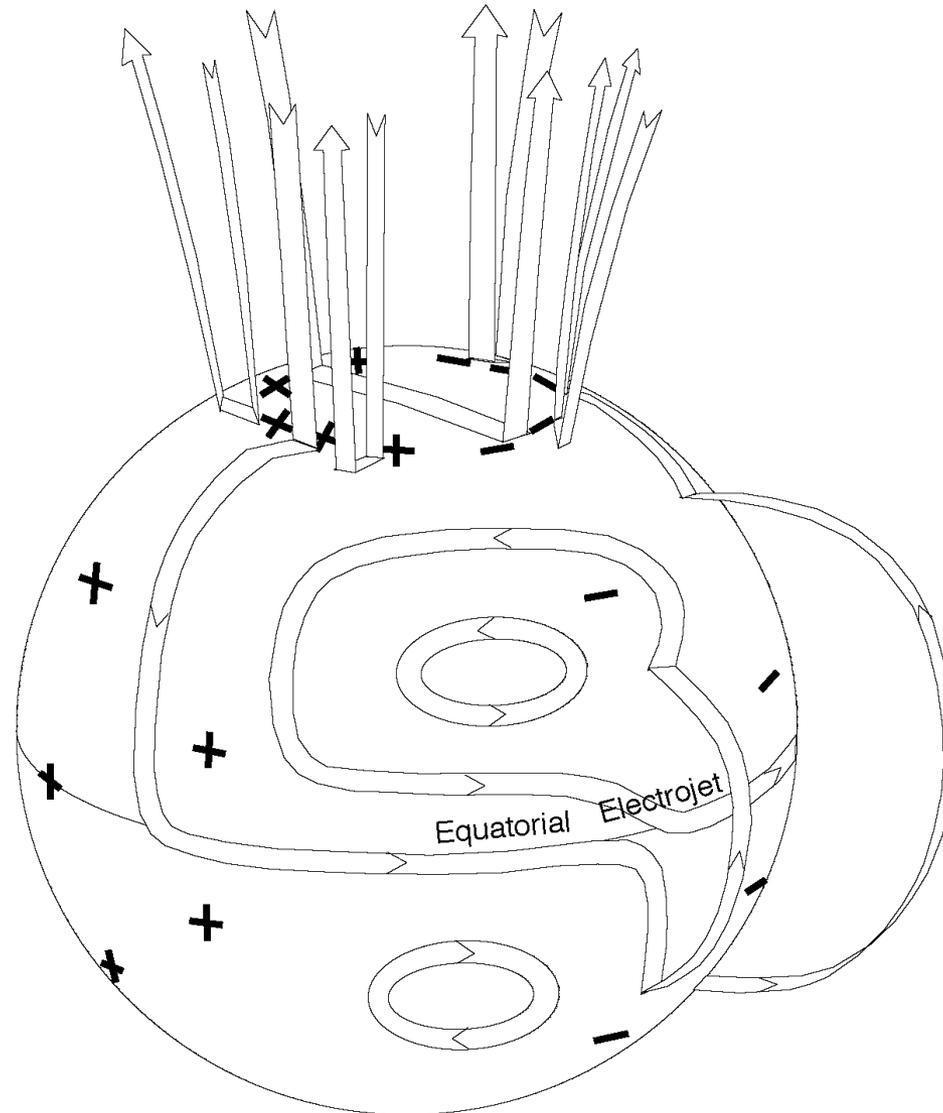
# Principal Ionization Processes on Earth



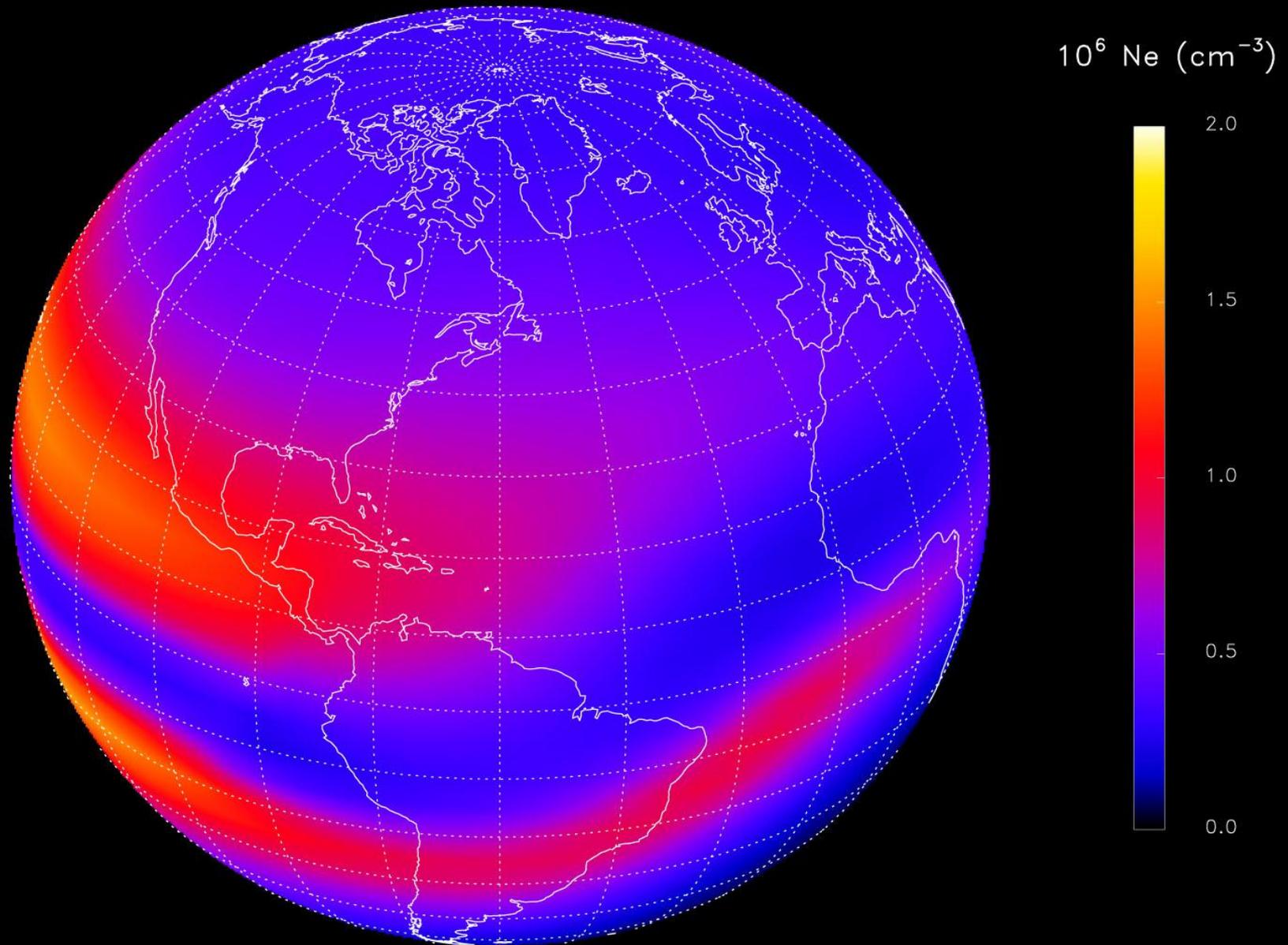
# Composition of the Earth's Ionosphere



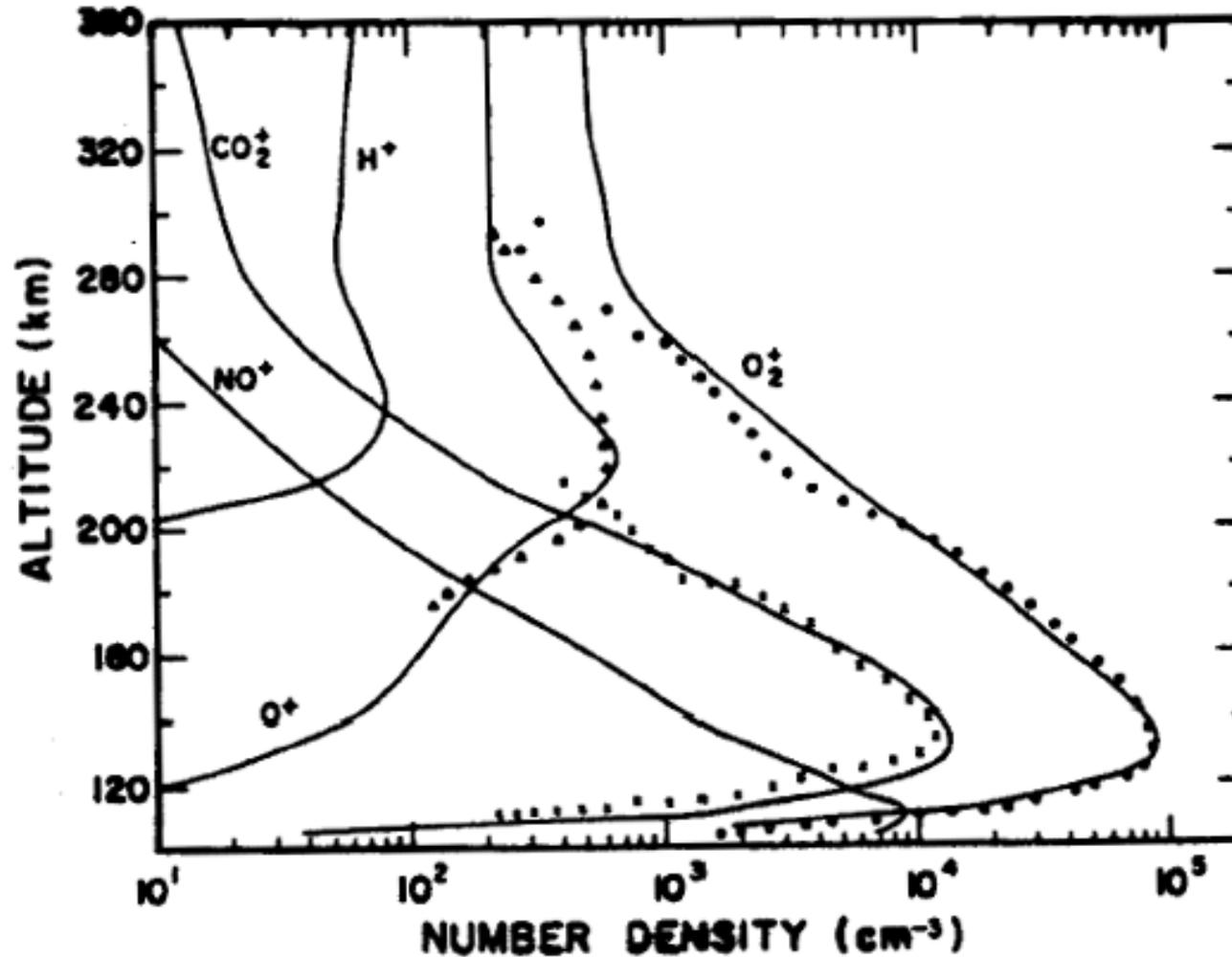
# Ionospheric Electrodynamics



# IRI Electron Density at 300 km

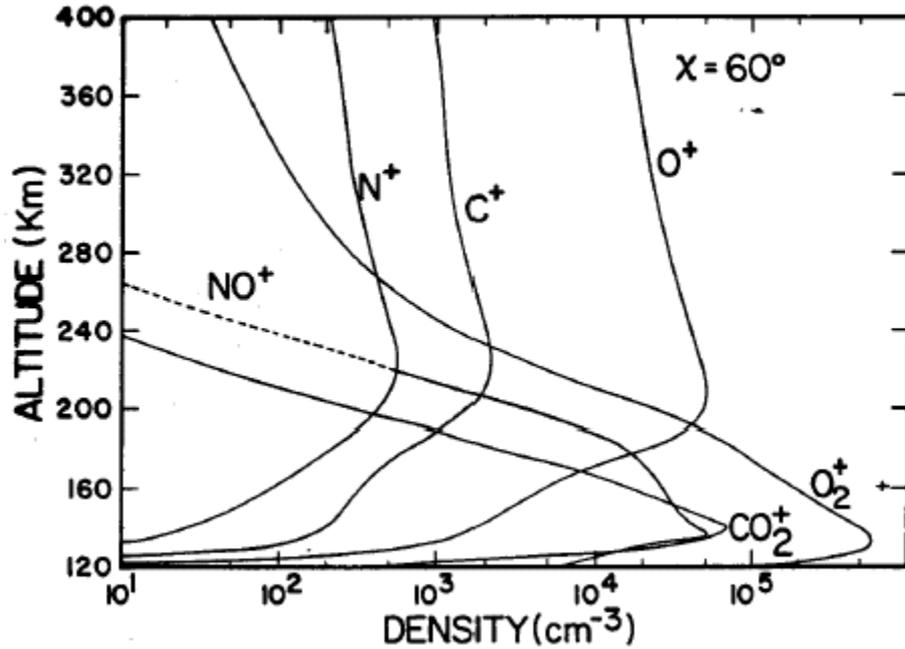


# Ionospheres of Other Terrestrial Planets

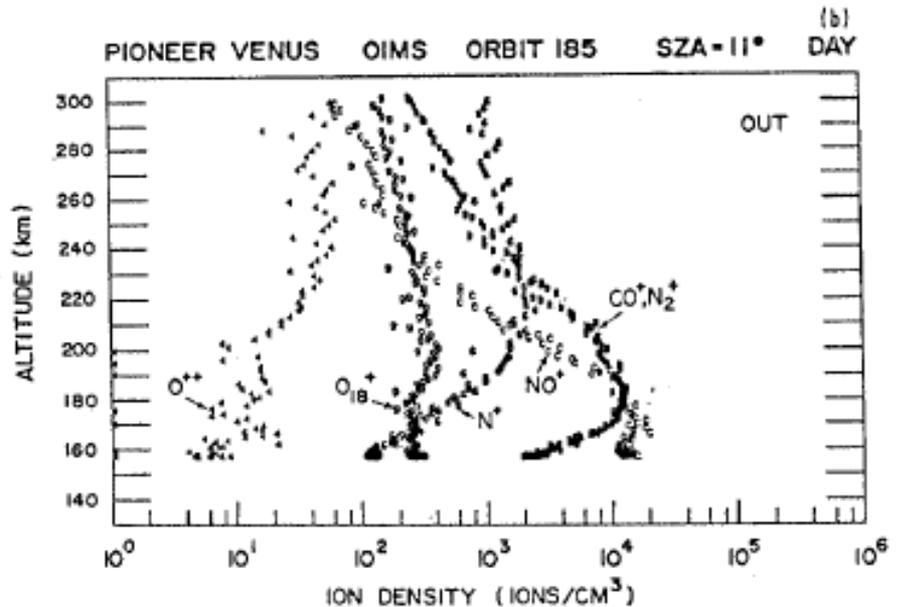
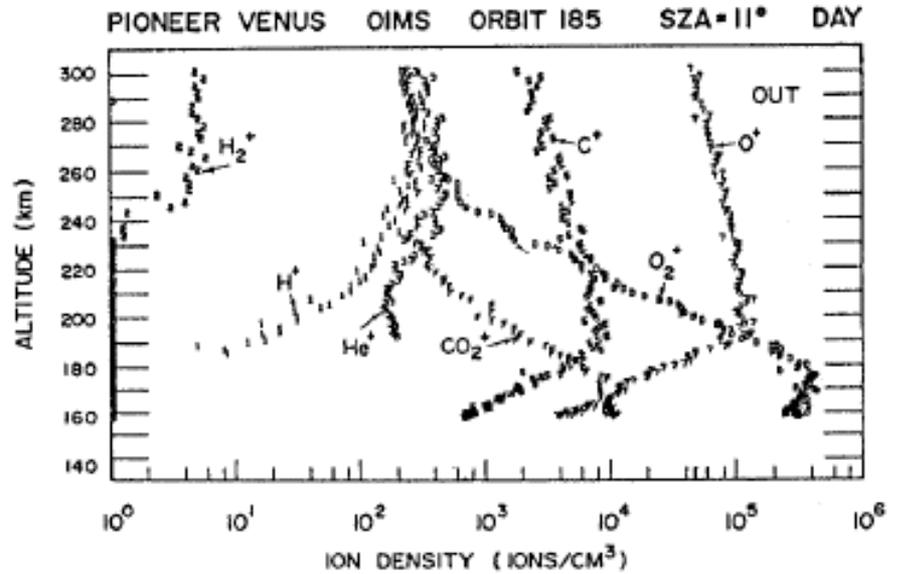


Model simulations (solid lines) and in-situ measurements from Viking-1 for the dayside ionosphere of Mars.

# Ionosphere of Venus



Model simulations (above) and in-situ measurements (right) made on Pioneer Venus.



# Why are the ionospheres of Mars and Venus, although similar to each other, so different from Earth?

$N_2^+$ ,  $O_2^+$  and  $O^+$  are the most abundantly produced ions in Earth's ionosphere because  $N_2$ ,  $O_2$  and  $O$  are the most abundant neutral species in the lower part of thermosphere. However, the most abundant ions below 300 km are  $O^+$ ,  $NO^+$ , and  $O_2^+$

On Mars and Venus the most abundantly produced ions are  $CO_2^+$  and  $O^+$ , but the most abundant ions are  $O_2^+$  and  $O^+$ . Unlike Earth, there is no " $F_2$  region", and very little ionization at night.

— Why doesn't  $O^+$  have a longer lifetime on Mars and Venus?

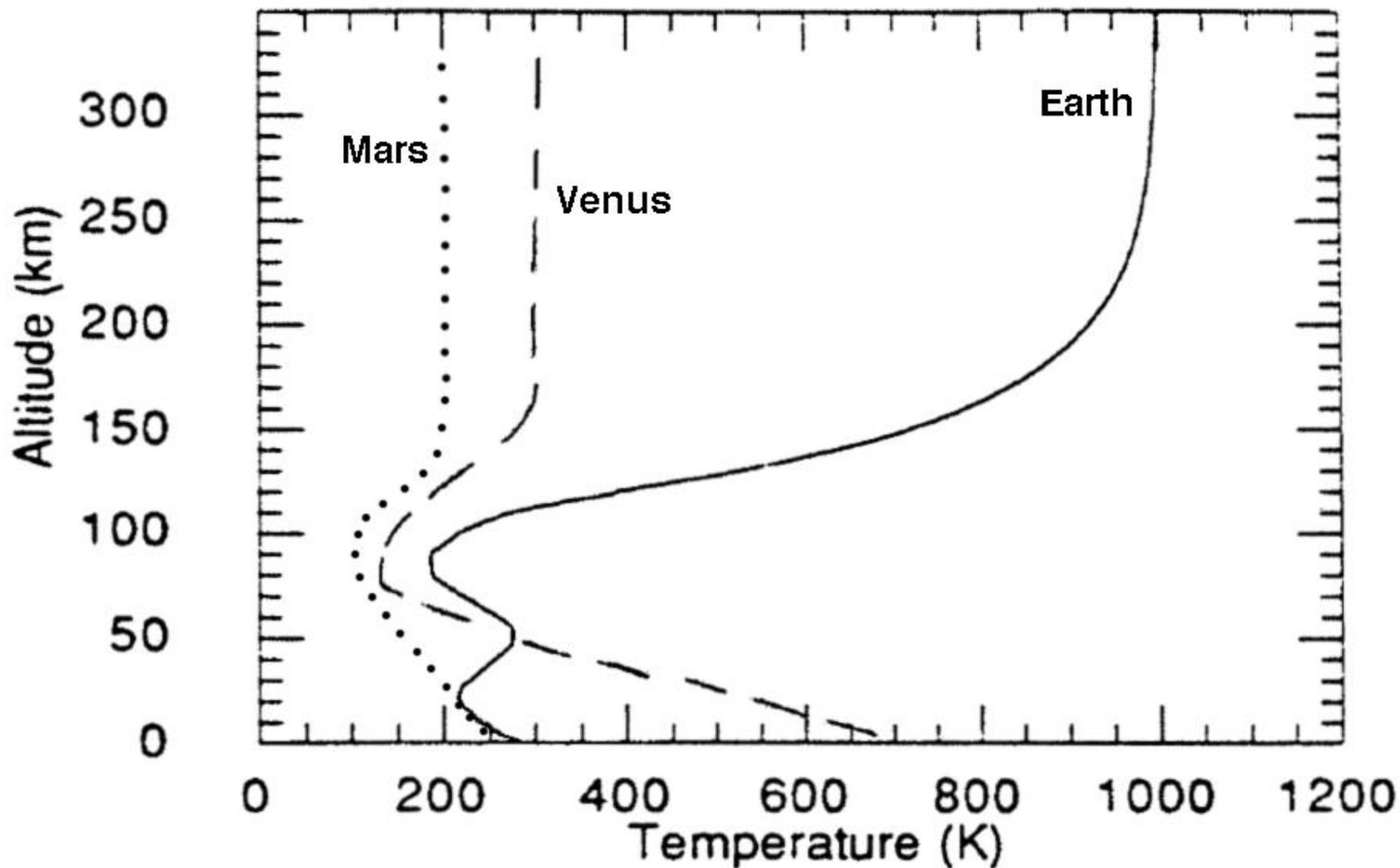
— Why is there so much  $O_2^+$  when there's so little  $O_2$  in their atmospheres?

# Atmospheric Composition of the Terrestrial Planets

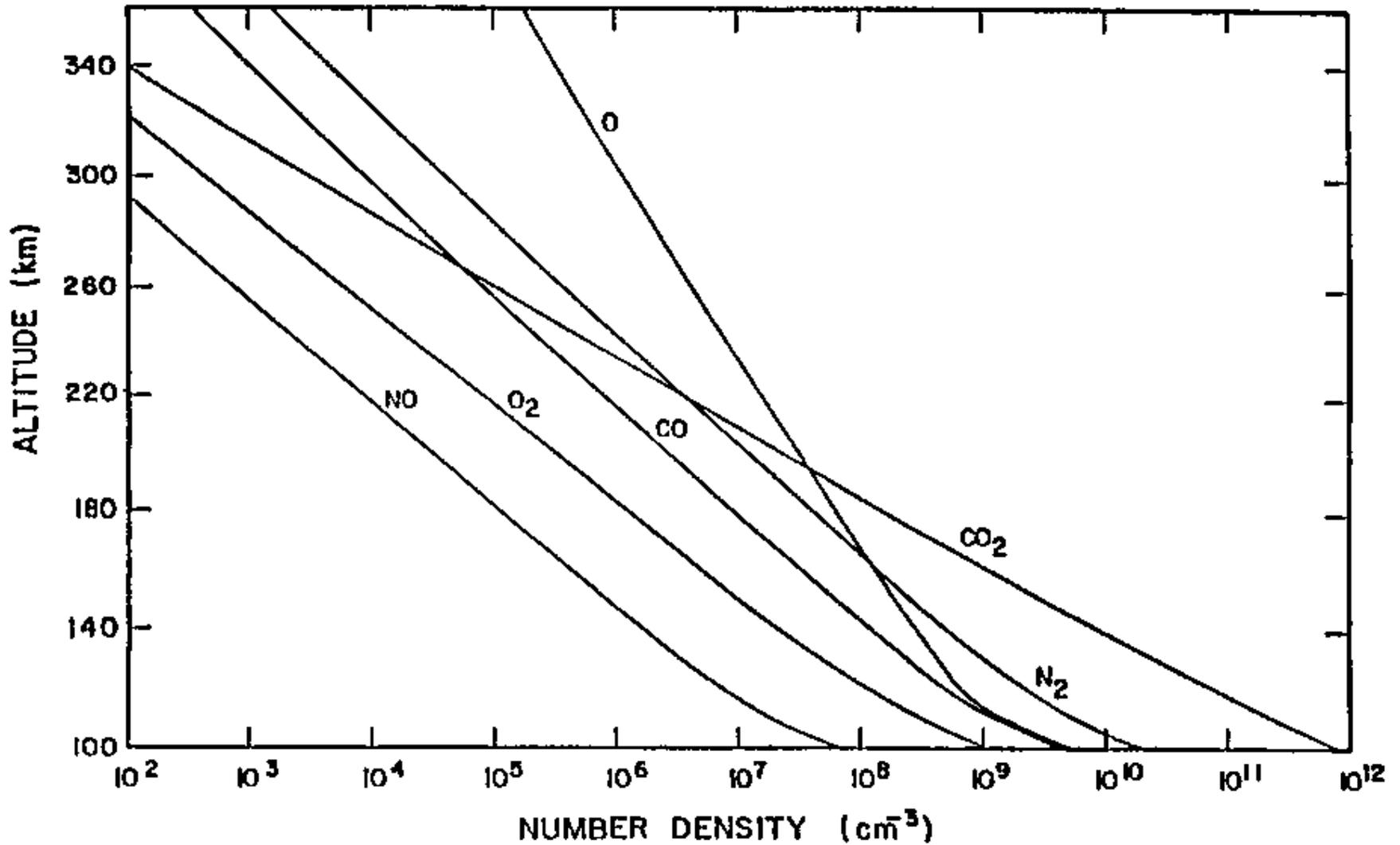
The atmospheres of Earth, Venus and Mars contain many of the same gases, but in very different absolute and relative abundances. Some values are lower limits only, reflecting the past escape of gas to space and other factors.

<b>Planet</b>	<b>Molecule</b>	<b>Abundance (bars)</b>	<b>Fraction of total</b>
Venus	CO <sub>2</sub>	86.4	0.96
	N <sub>2</sub>	3.2	0.035
	Ar	0.0063	0.000070
	H <sub>2</sub> O	0.009	0.000100
Earth	N <sub>2</sub>	0.78	0.77
	O <sub>2</sub>	0.21	0.21
	H <sub>2</sub> O	0.01	0.01
	Ar	0.94	0.0093
	CO <sub>2</sub>	0.000355	0.00035
Mars	CO <sub>2</sub>	0.0062	0.95
	N <sub>2</sub>	0.00018	0.027
	Ar	0.00010	0.016
	H <sub>2</sub> O	$3.9 \times 10^{-7}$	0.00006

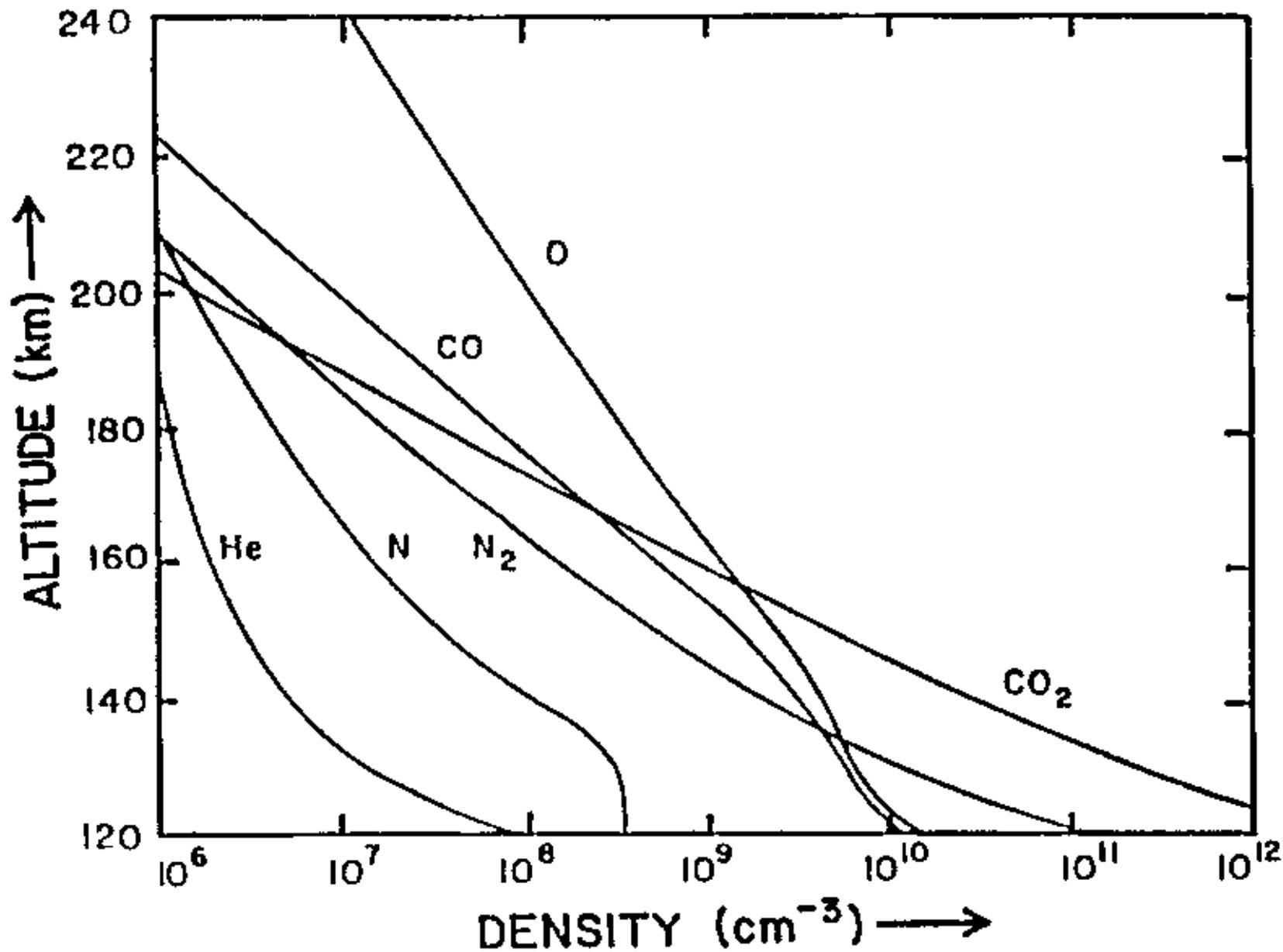
# Average Temperature Profiles of the Terrestrial Planets



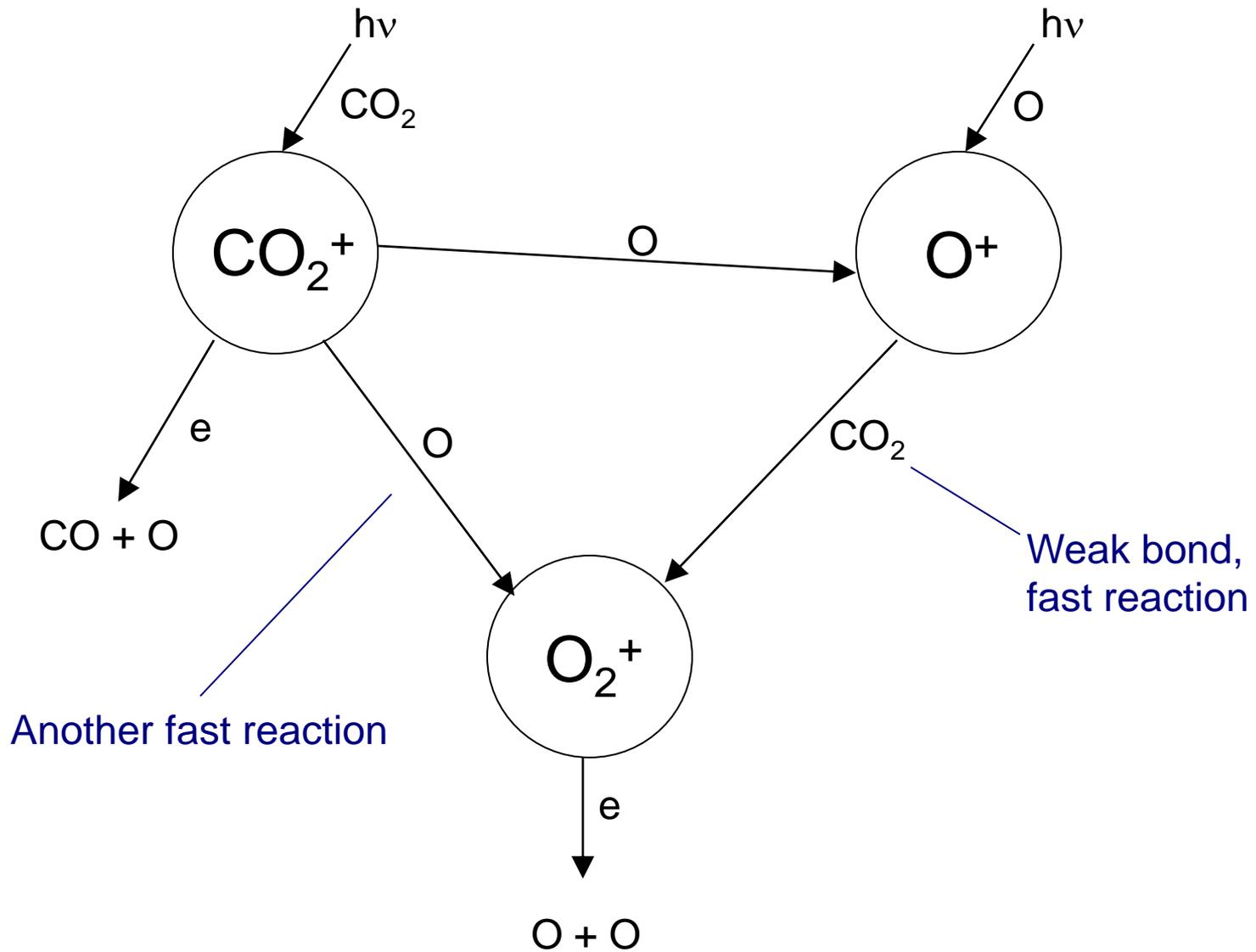
# Upper Atmosphere of Mars



# Upper Atmosphere of Venus



# Principal Ionization Processes on Venus & Mars



# Venus and Mars are “Normal”, *Earth* is Anomalous

On Venus and Mars,  $O^+$  reacts rapidly with  $CO_2$  and  $CO_2^+$  reacts rapidly with  $O$  because these atom-ion interchange reactions have fast rate coefficients.

This is because  $CO_2$  is not very strongly bonded, compared to  $N_2$ .

Therefore, Venus and Mars ionospheres are “*E* region” (or “*F*<sub>1</sub> region”) types, controlled mostly by photochemical equilibrium at their peaks.

Earth lacks sufficient carbon in its atmosphere, and doesn't have enough  $O_2$  at high altitude, for this to happen. Atom-ion interchange of  $O^+$  with  $N_2$  is very slow, due to the strength of the  $N_2$  bond. This creates the high, dense, persistent “*F*<sub>2</sub> region” and a lot of interesting ionospheric variability.

**So...**

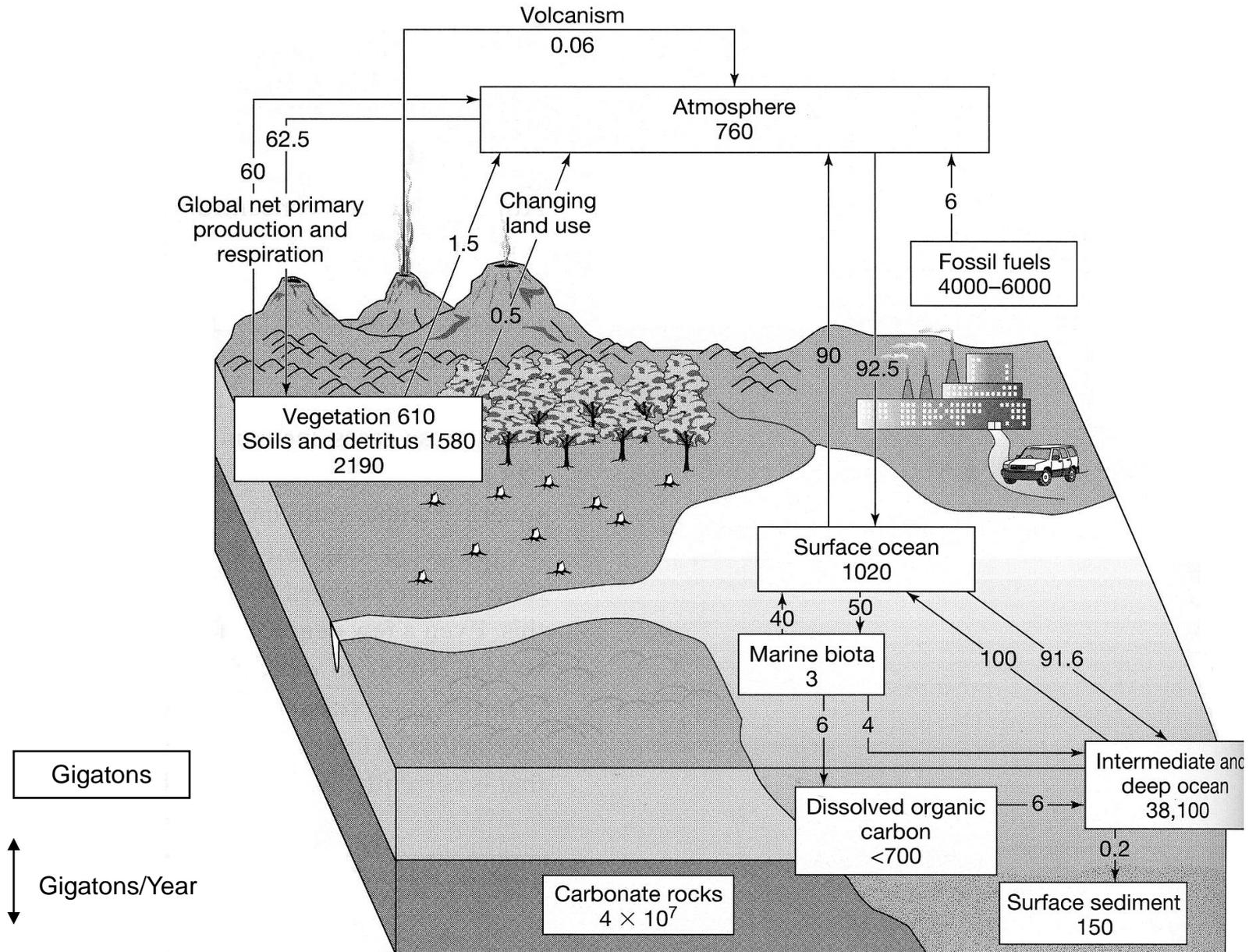
**Where's the Carbon?**







# The Earth's Carbon Cycle



## Another Question for Discussion

A high, dense, “ $F_2$  layer” ionosphere observed on a terrestrial-type planet would be a sign of life on that planet.

1. True
2. False