

# A climatological study of the Mechanisms Controlling the Seasonal Meridional Migration of the Atlantic Warm Pool in an OGCM

### **CONTEXT AND OBJECTIVES**

The tropical Atlantic Warm Pool is one of the main drivers of the marine intertropical convergence zone and the associated coastal North-east Brazilian and West-African monsoons. Its meridional displacement is driven by the solar cycle, modulated by the atmosphere and ocean interactions, which nature and respective proportions are still poorly understood.

The aim of this study is to quantify the contribution of each oceanic process and air-sea fluxes on the AWP meridional migration with a Ocean General Circulation Model (NEMO-ATLTROP025), by constructing a diagnostic equation of AWP boundaries velocities.







## PIRATA-24/TAV Virtual Meeting, May 10-14, 2021

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### AWP definition : choice of the meridional AWP boundaries



Strong seasonal variation of the AWP extension and migration.

The AWP migration velocity depends of the longitude.



Intense surface wind rain convergence colocalized with the AWP. Strong zonal assymetry of the AWP extension and displacement.





#### AWP migration velocity equation

$\frac{\text{eridional AWP velocity :}}{\Delta t} = \frac{\Delta y}{\Delta t}$ $\frac{\text{erized meridional velocity}}{\Delta t}$ ian variation of the SST meridional evolution: $dT(y,t) = \frac{\partial T}{\partial t} \cdot dt + \frac{\partial T}{\partial y} \cdot dy$	
Ven h: $\frac{\partial T}{\partial t} \cdot dt = -\frac{\partial T}{\partial y} \cdot dy$ ; $V = \frac{dy}{dt} = -\frac{\partial_t T}{\partial_y T}$	
$\mathbf{V}^* = -\frac{\partial_t T}{\partial_y T}$ Linearized equation	<u>n</u>
$\partial_{t} \langle T \rangle = - \underbrace{\langle u . \partial_{x} T \rangle - \langle v . \partial_{y} T \rangle + \langle D_{l}(T) \rangle}_{\text{Contrib}(1)} - \underbrace{\frac{1}{h} \frac{\partial h}{\partial t} (\langle T \rangle - T_{z=-h}) - \langle w . \partial_{z} T \rangle - \frac{1}{h} (K_{z} \partial_{z} T)}_{\text{Contrib}(2)}$	$\Big)_{z=-h}$
$+ \underbrace{\frac{Q_{ns} + Q_{s}(1 - f_{z=-h})}{\rho_{0}C_{p}h}}_{Contrib(3)} = - \frac{Contrib(1) + Contrib(2)}{\partial_{y}SST},  V_{air-sea} = - \frac{Contrib(3)}{\partial_{y}SST}$ $V^{*} = V_{ocean} + V_{air-sea}$	

