

Tomographic Inversion of Synthetic White-Light Images: Observing Coronal Mass Ejections in 3D

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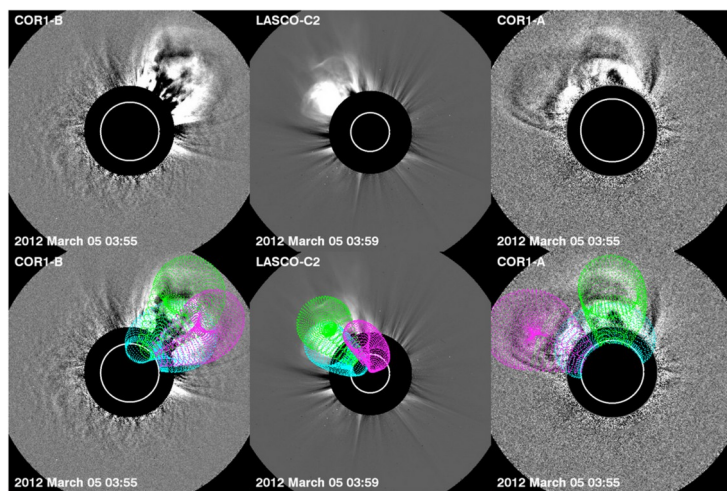


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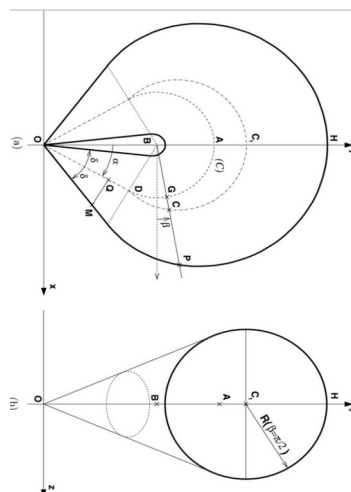


Introduction: Observing CMEs in White-Light

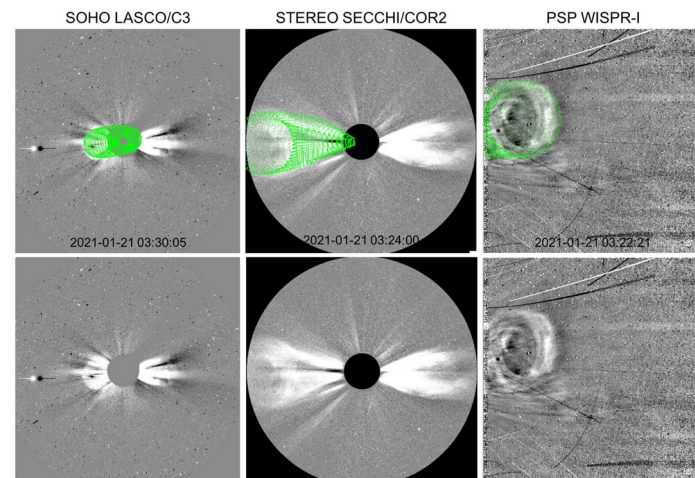
- CME parameters are typically derived using forward modelling and are often not well constrained and are associated with large uncertainties
- CME observations are made using white-light imagers: coronagraphs and wide-angle heliospheric imagers
- Forward modelling techniques are able to fit basic CME morphology, but give no information on internal structure and mass density
- Inverse modelling provides an alternative, but requires a large number of observing spacecraft in order to provide sufficient viewpoints



Colaninno+ [2015]



Thernisien [2015]



Braga+ [2022]



ISSI Team

“Tomographic Inversion of Synthetic White-Light Images: Advancing our Understanding of CMEs in 3D”

Led by E. Palmerio and D. Barnes

- We proposed an ISSI project, which was selected in 2023
- 1st meeting took place December 2023, 2nd meeting October 2024



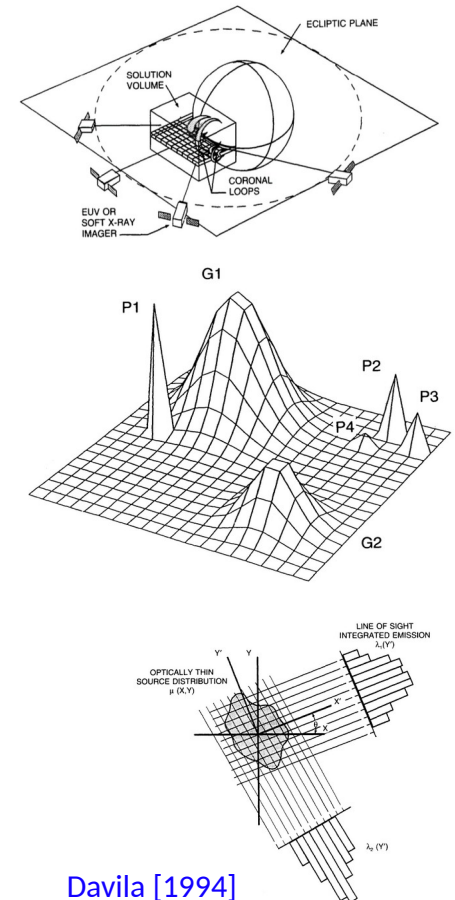
Inverse Modelling: Discrete Tomography

- “Tomography” is applied to a broad range of inversion problems
- By defining a grid over the heliosphere the LOS integral from an image pixel can be approximated as a sum of finite elements
- Each spacecraft measures different radiance values depending on the angle from which it observes density structure
- Multiple vantage points can therefore be used to constrain 3D density distribution
- It is expected that a greater number of observers results in better reconstruction

Discrete Tomography Method

- goal is to formulate and solve inverse equation $\mathbf{y} = \mathbf{H} \cdot \mathbf{x}$
- \mathbf{y} is array containing radiance values in every image pixel
- \mathbf{x} is the unknown density distribution over pre-defined grid
- \mathbf{H} is a physical operator based on the equations of Thomson scattering that relates elements of \mathbf{y} and \mathbf{x}

- (1) Process images to reveal CME structure
- (2) Calculate elements of \mathbf{H} for given spacecraft setup
- (3) Solve for \mathbf{x} using iterative convergence algorithm

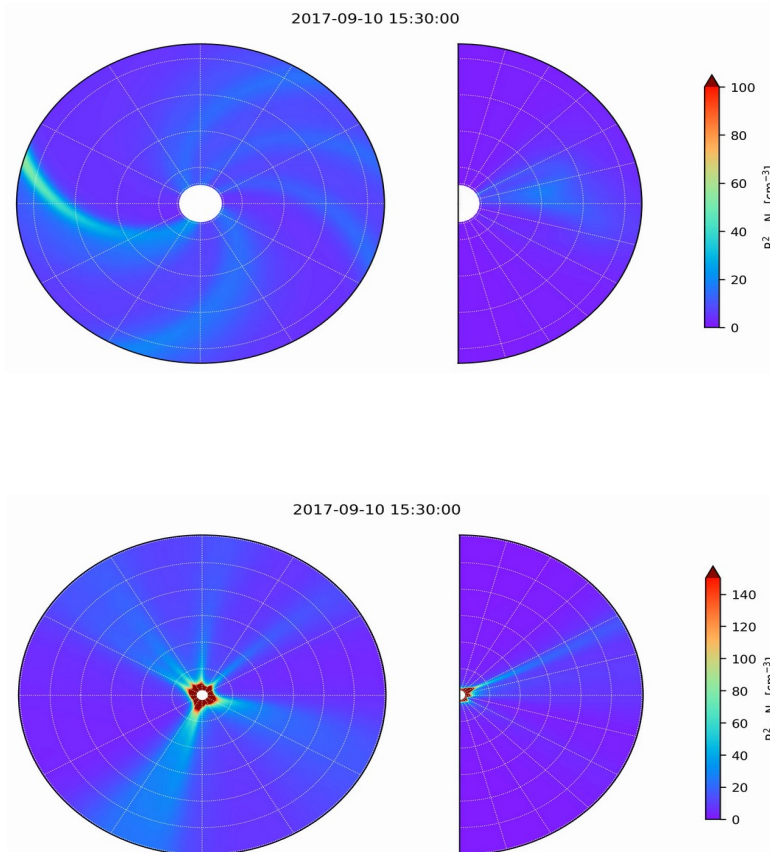


Davila [1994]



Simulating CMEs with the MAS/CORHEL Model

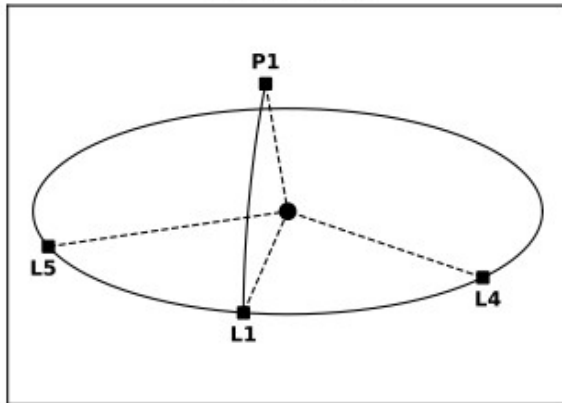
- **MAS** – Magnetic Algorithm outside a Sphere
- **CORHEL** – Coronal Heliospheric
- MHD simulation that models coronal magnetic field, solar wind and CME propagation
- 2 domains: COR ($1-30R_{\odot}$); HEL ($28-230R_{\odot}$)
- CMEs modelled from their eruption with full flux-rope (RBSL; [Titov+ 2018](#))
- The runs used in this project utilised CORHEL-CME ([Linker+ 2024](#)), a tool to model the eruption and propagation of CMEs with MAS/CORHEL
- We simulate three separate CMEs based on real events: slow ($\sim 800\text{km/s}$), medium ($\sim 1500\text{km/s}$), fast ($\sim 2500\text{km/s}$) CMEs based on 2021-10-28, 2020-11-29 and 2017-09-10



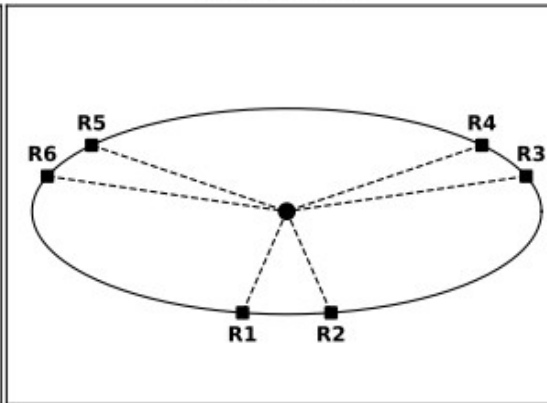
Synthetic Spacecraft

- Simulations allow us to create any number of synthetic spacecraft, which allows us to test different combinations
- We choose “plausible” spacecraft configurations; The L1, L4 and L5 points, a polar (P1) spacecraft 60° above the Ecliptic, and a six spacecraft ring (R1—R6), all at 1 au
- This results in nine possible observers, from which we choose five possible combinations in order to perform the inversion
- We can address questions; how does the number of observers influence the solution, how useful are out-of-ecliptic observations? How well are the results augmented using polarised brightness measurements?

(a) 3L + Polar



(b) Solar Ring

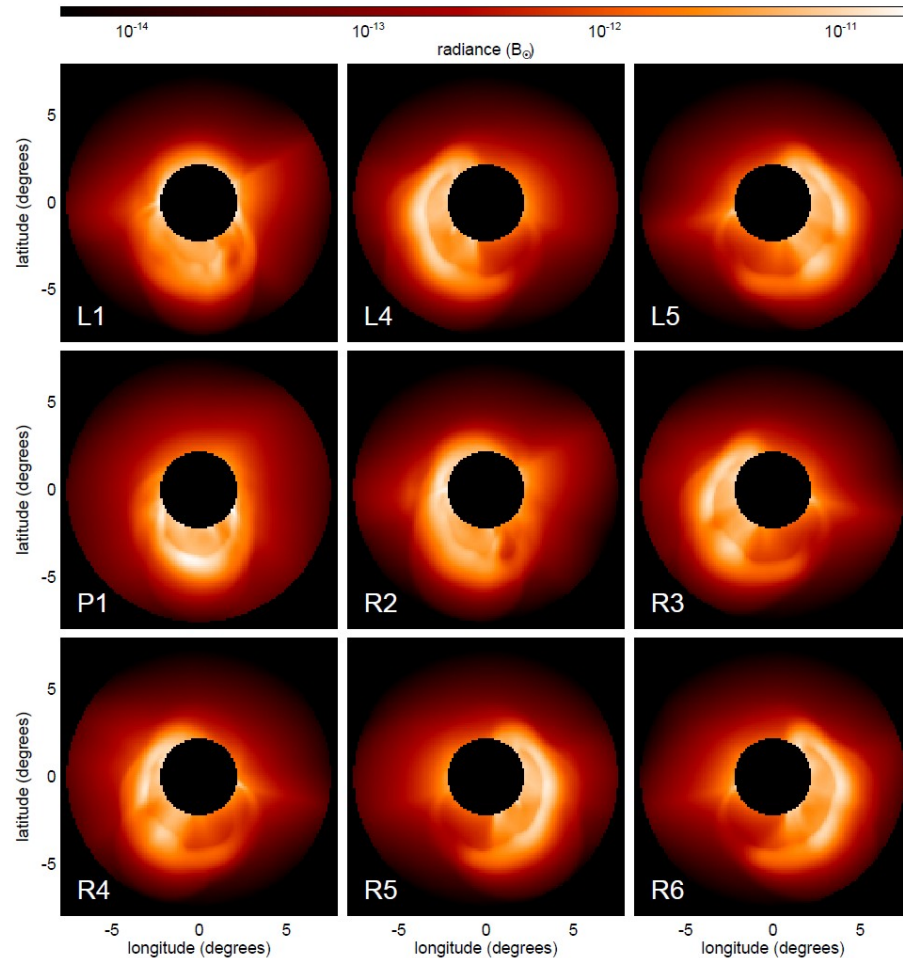
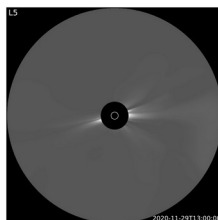
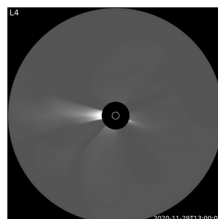
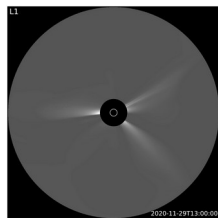


label	L1	L4	L5	P1	R2	R3	R4	R5	R6
3sc	✓	✓	✓						
3sc ring	✓					✓		✓	
4sc	✓	✓	✓	✓					
6sc ring	✓				✓	✓	✓	✓	✓
7sc	✓			✓	✓	✓	✓	✓	✓



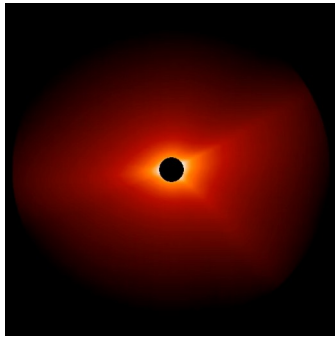
Synthetic White-Light Images

- Using Thomson scattering equations from [Tappin & Howard \[2009\]](#), we can create synthetic images for a specified instrument
- In this study we use a fake LASCO-C3 FOV, maximum 8° ($30R_\odot$)
- We create a sequence of images for each of the three CMEs as they pass through the FOV
- Images are processed; reduced resolution, background subtracted and a $4R_\odot$ is applied

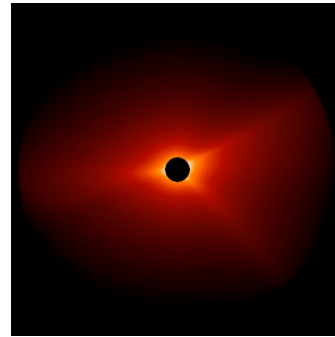


Polarised Brightness Images

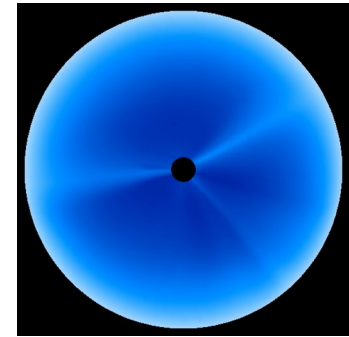
L1



total brightness

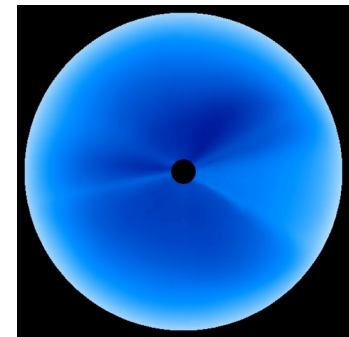
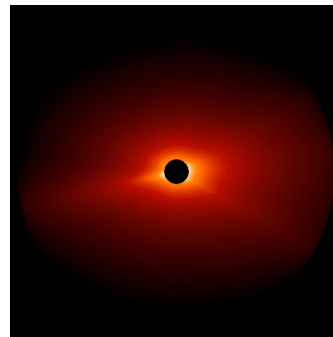
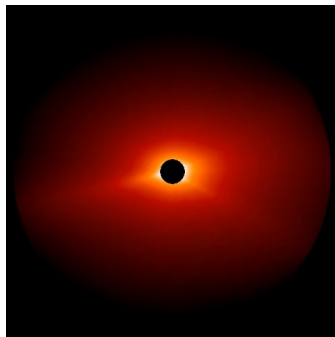


polarised brightness



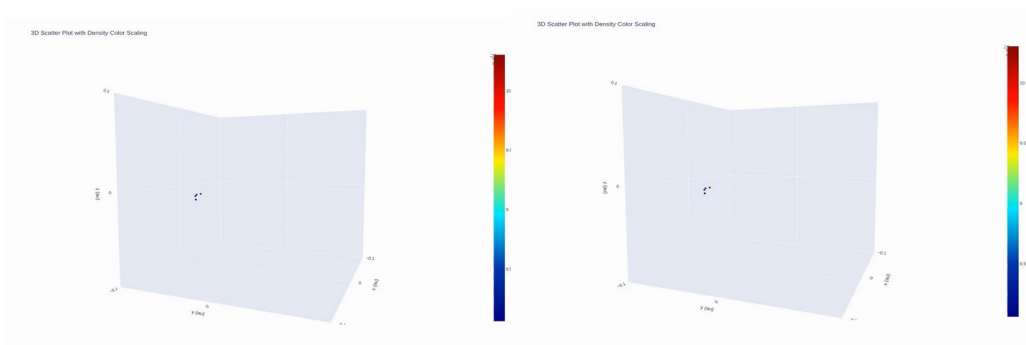
degree of polarisation

L5

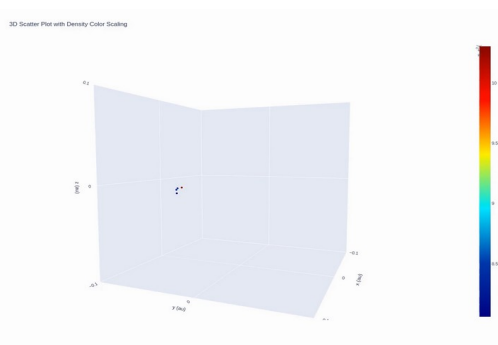


CME Densities

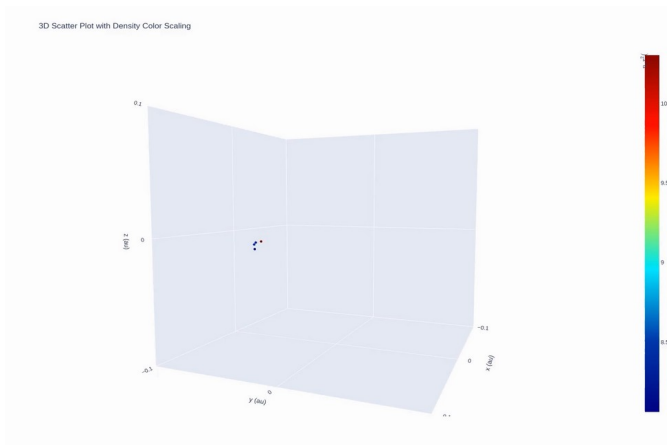
3 spacecraft



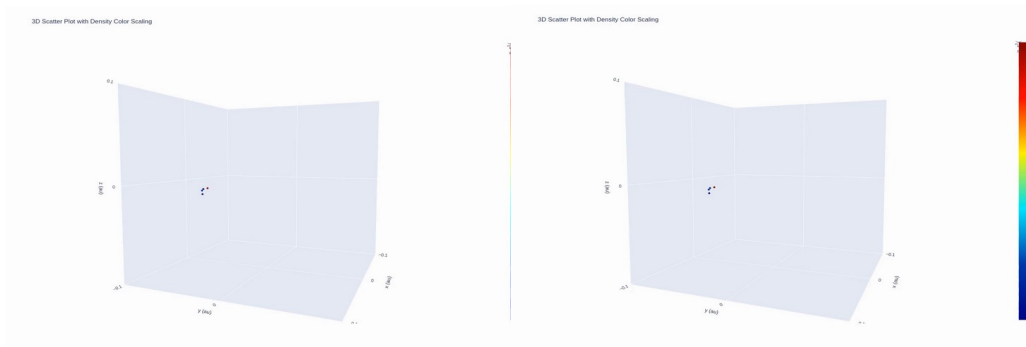
4 spacecraft



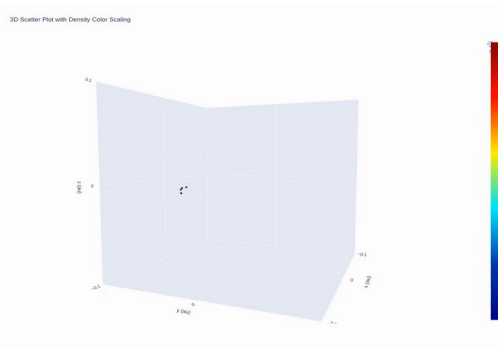
original MAS simulation



6 spacecraft



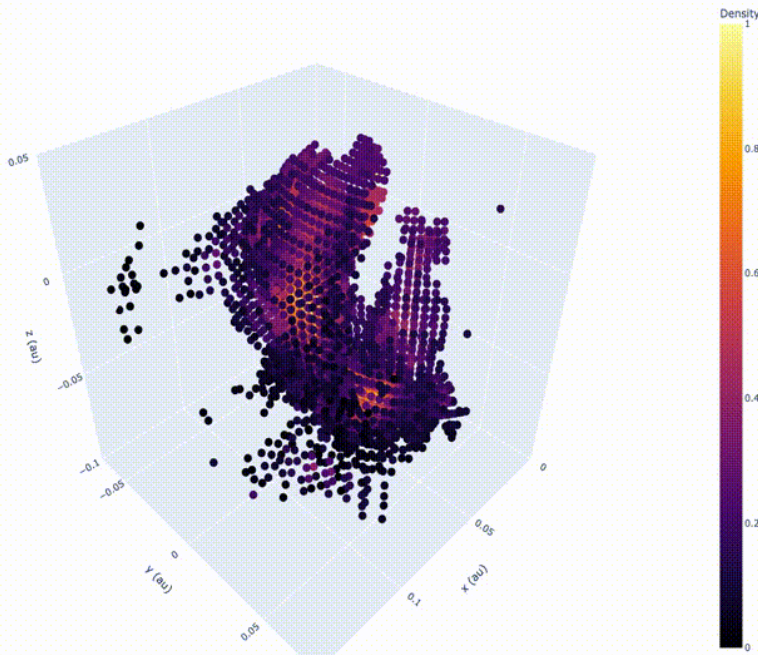
7 spacecraft



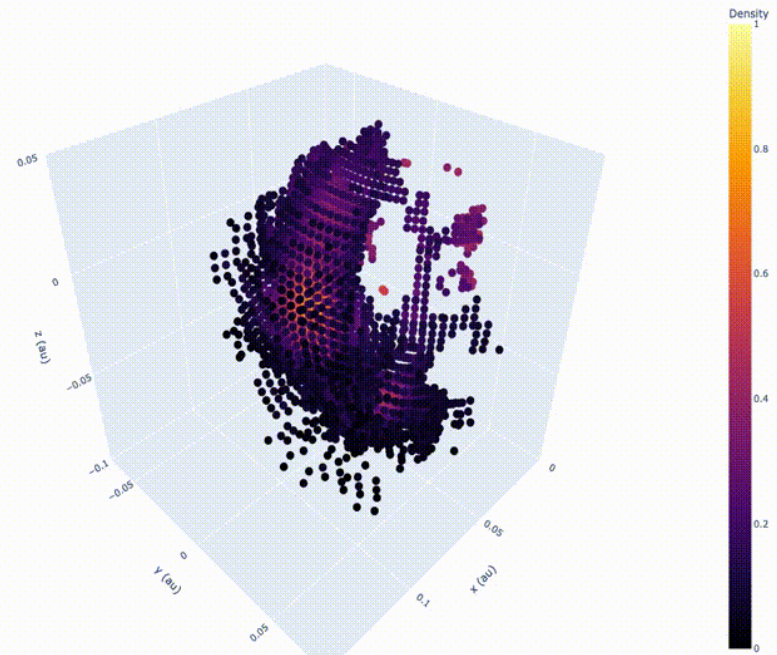
Number of Spacecraft

Increasing the number of spacecraft results in better agreement with the original CME density from CORHEL

tb, 3 spacecraft



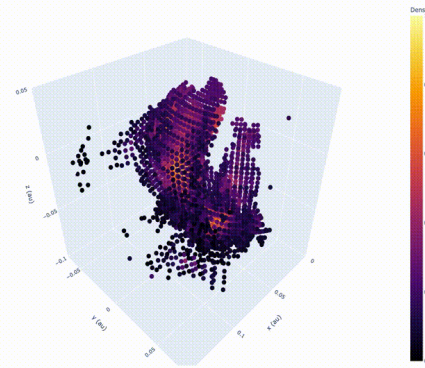
pb, 3 spacecraft



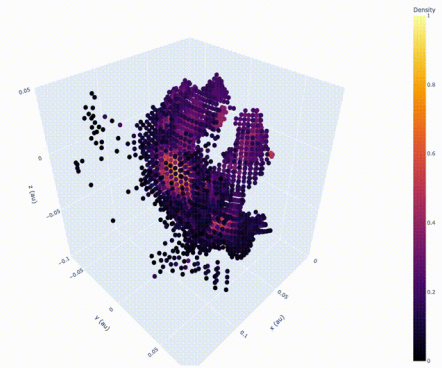
Polarimetric Reconstructions

- Performing the inversion using tb vs using tb+pb shows that polarisation measurements improve our ability to constrain density
- However, the advantage of using pb measurements diminishes as the number of observing spacecraft increases
- This implies that we could perform the method well using just 3 or 4 observing spacecraft if they possess polarising imagers
- The most important factor is having a greater number of observing spacecraft; orbital configuration is less significant

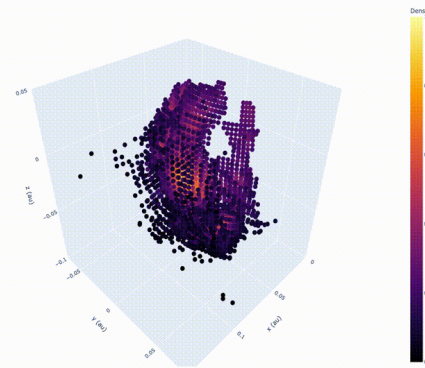
tb, 3 spacecraft



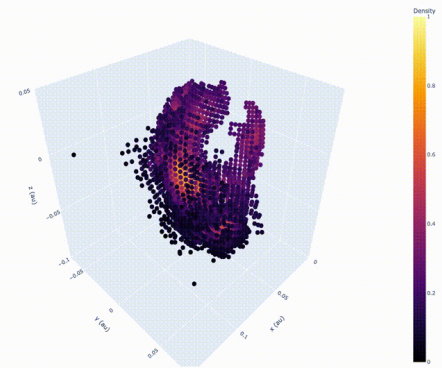
tb, 4 spacecraft



tb, 6 spacecraft

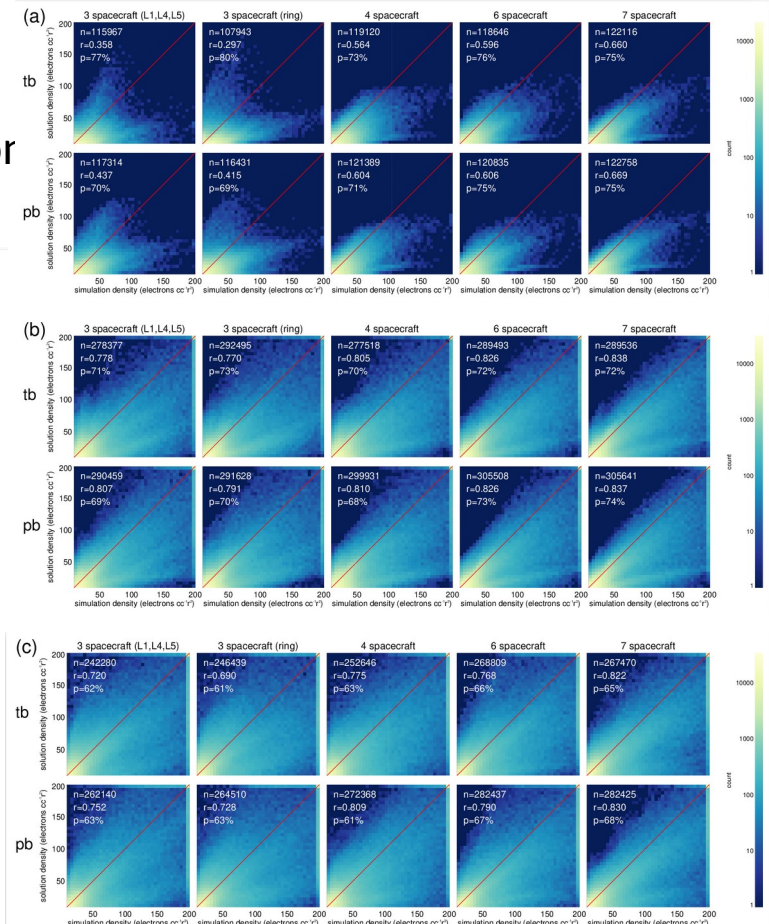
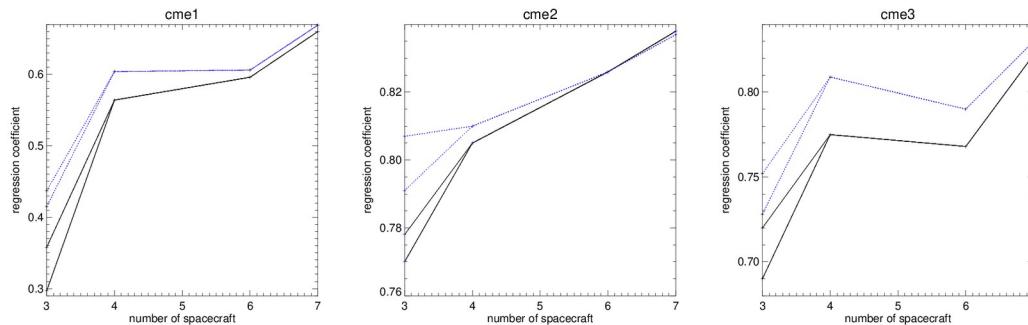
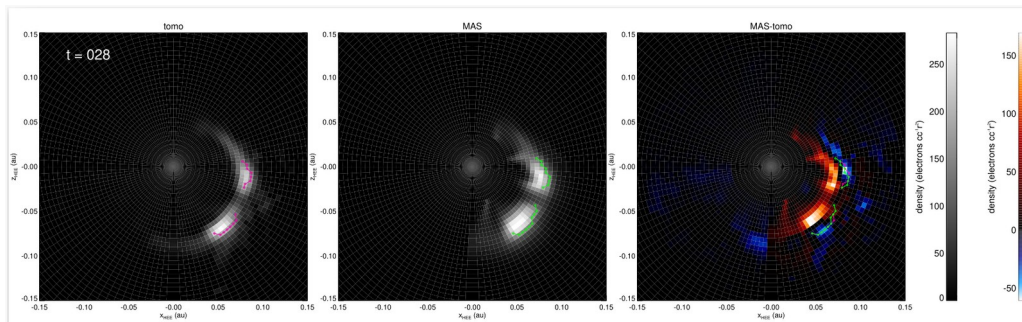


tb, 7 spacecraft

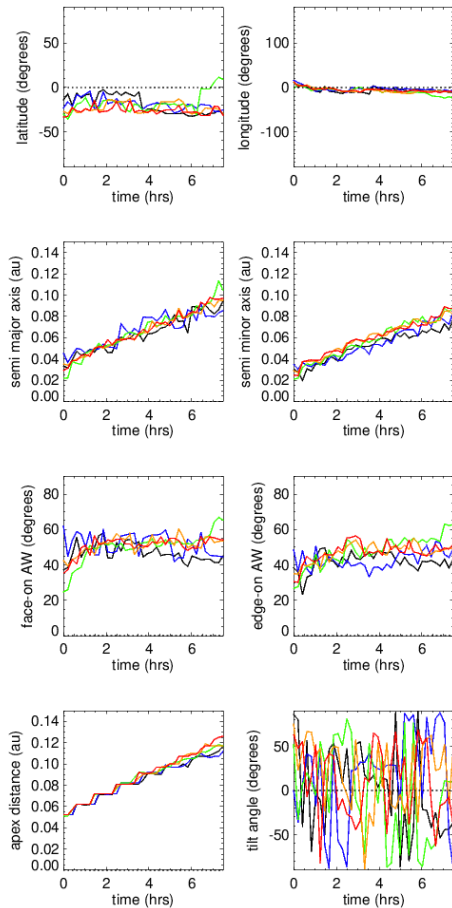


Results: Density Reconstruction

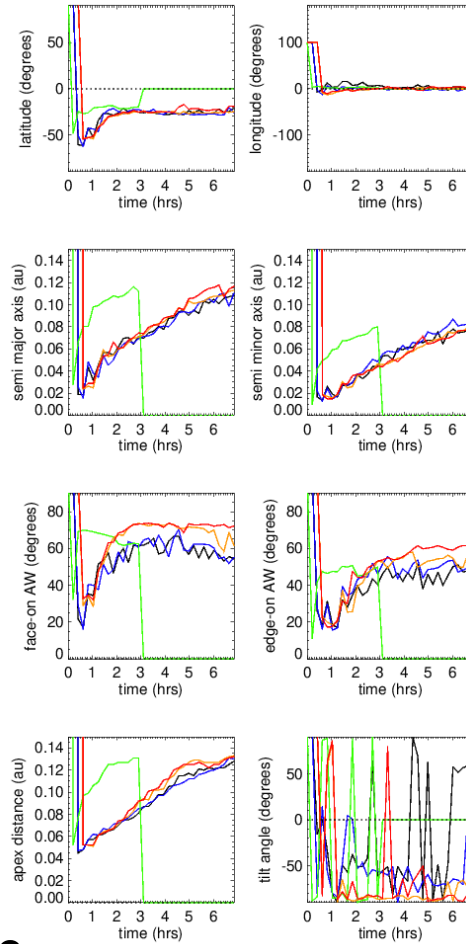
- We can perform a direct comparison between the 'real' density from the MAS simulations and the reconstructed densities from tomographic inversion



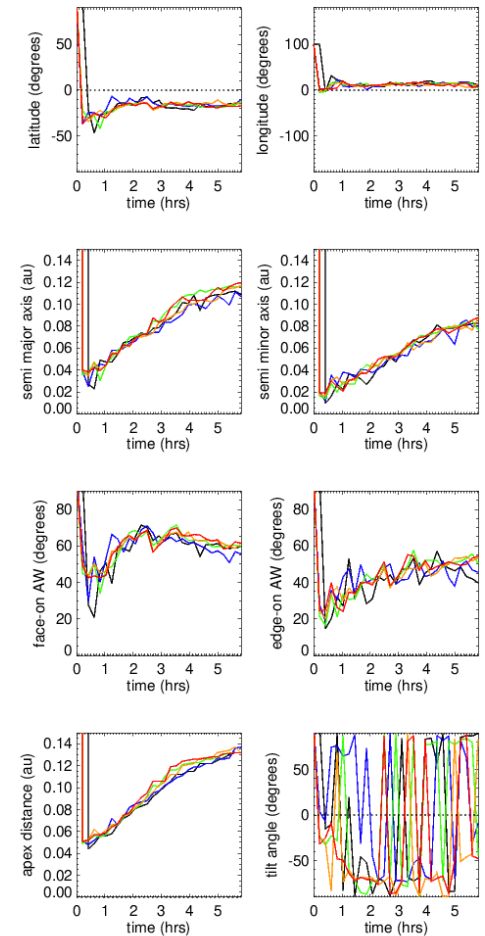
Results: CME parameters



CME1



CME2



CME3



Summary

- We use state-of-the-art MHD simulations to model three coronal mass ejections
- The simulated density is used to create realistic white-light coronagraph images from a fleet of observing spacecraft
- Different combinations of these spacecraft are used in order to test the discrete tomography method as a means of reconstructing three-dimensional CME structure from two-dimensional images
- We find that a greater number of observing spacecraft improves the fidelity of the reconstruction
- The extra information afforded by polarised brightness measurements means that we are better able to constrain CME density structure
- The advantage of using pb images diminishes with increasing number of spacecraft
- CME parameters, e.g. latitude, longitude, width, can be well constrained using just a small number of spacecraft

